

Dark Energy Missions +
Some Remaining Puzzles in
Observational Cosmology

Review for Final Exam

Layout of the Course

Feb 3: Introduction / Overview / General Concepts
Feb 5: Age of Universe / Distance Ladder / Hubble Constant
Feb 10: Distance Ladder / Hubble Constant Distant Measures
Feb 12: SNe science / Baryonic Content / Dark Matter Content of Universe
Feb 17: Dark Matter + Cosmic Microwave Background
Feb 19: Cosmic Microwave Background + Large Scale Structure
Feb 26: Large Scale Structure / Baryon Acoustic Oscillations + Dark Energy
Mar 5: Dark Energy / Clusters / Cosmic Shear
Mar 12: Cosmic Shear / Dark Energy Missions
Mar 19: No Class
Mar 26: Other Unresolved Questions / Review for Final Exam

Apr 11: Final Exam

Today



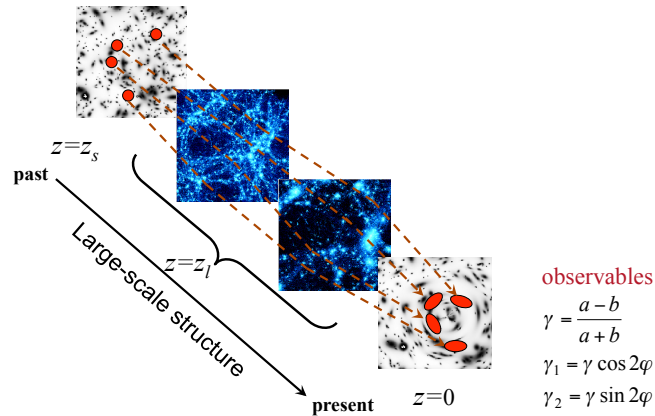
Final Exam

April 11, 2025
13:15-16:15

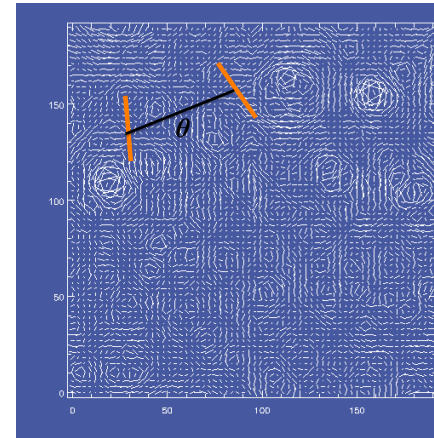
Review Material from Last Week

Probing the Nature of Dark Energy: Using Cosmic Shear

Gravitational lensing from collapsed masses has a systematic imprint on the shapes of galaxies, seen over large areas of sky, i.e., cosmic shear...



Determine correlation of shear measurement on different angular scales θ



- Correlated images of distant galaxies over all angular scales
- Use images of all distant galaxies
- Correlation function method to measure the cosmic shear signals
- The lowest one is 2pt function

Credit: Takada

Convert from to angular power spectrum using Fourier transform again:

Correlation Function
Type Parameters

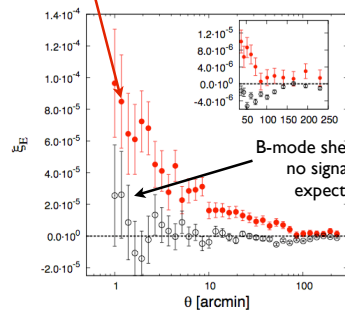
$$\xi_{++}(\phi) \quad \langle \gamma_+ \rangle(\theta)$$

Fourier Transform

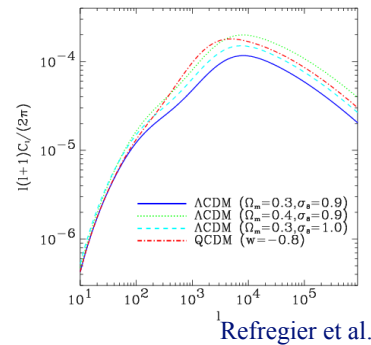
Power Spectrum
Type Parameters

$$P_\gamma(l) \quad P_k(l) \quad C_{\gamma_i \gamma_j}(l)$$

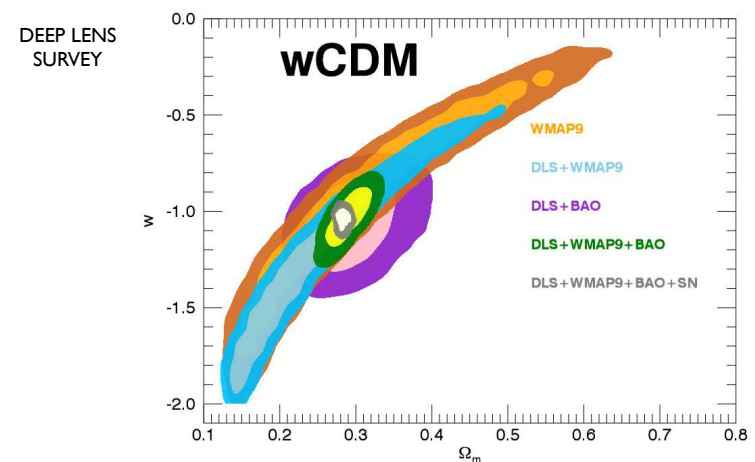
E-mode shear gives a signal



B-mode shear gives no signal as expected



What constraints can we set on w with weak lensing experiments?



Jee+2015

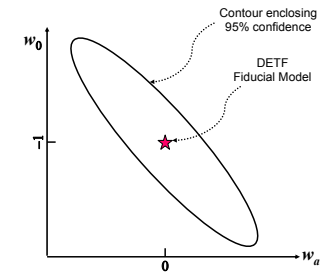
So the game is to determine the w parameter and how it depends on redshift

There are four standard methods:

1. **Supernovae Ia**
 - use of standard candles to establish distance-redshift relation
 - first established existence of dark energy 10 years ago
2. **Baryonic Acoustic Oscillations**
 - gives us a standard rod to establish distance-redshift relation and Hubble parameter-redshift relation with low systematics
3. **Galaxy Clusters**
 - provide us with sensitive probe of growth of structure
 - early evidence for low Ω_m
4. **Weak Gravitational Lensing**
 - provide us with sensitive probe of growth of structure
 - powerful technique still in process of realizing full potential

Power of the techniques in constraining dark energy are quantified in terms of the “Figure of Merit”

The **DETF figure of merit** is the reciprocal of the area of the error ellipse enclosing the 95% confidence limit in the w_0-w_a plane. Larger figure of merit indicates greater accuracy.



The DETF figure of merit is defined as the reciprocal of the area of the error ellipse in the w_0-w_a plane that encloses the 95% C.L. contour. (We show in the Technical Appendix that the area enclosed in the w_0-w_a plane is the same as the area enclosed in the w_T-w_a plane.)

By combining multiple techniques, one can make huge gains in terms of the “Figure of Merit,” i.e., constraining both w and w_a .

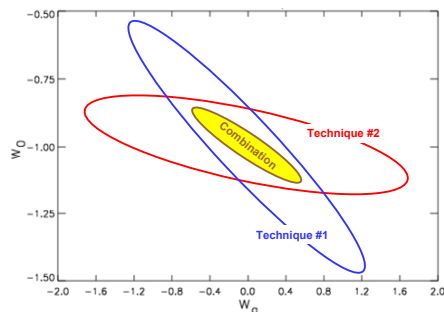
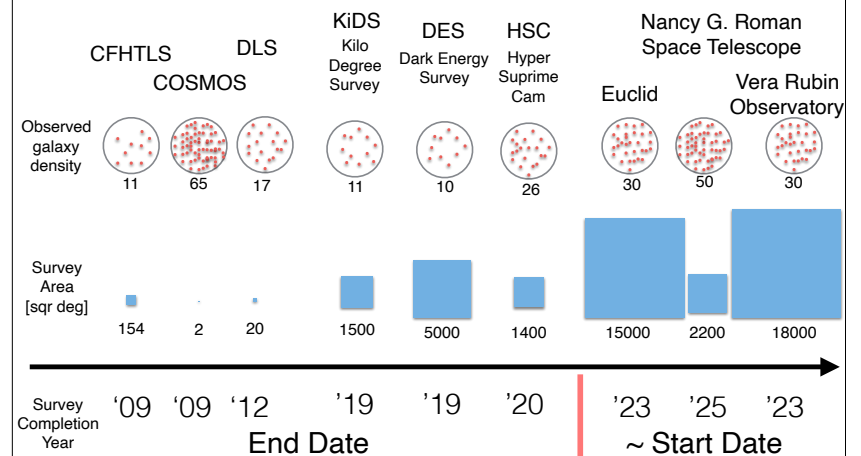


Illustration of the power of combining techniques. Technique #1 and Technique #2 have roughly equal DETF figure of merit. When results are combined, the DETF figure of merit is substantially improved.

Photometric Dark Energy Surveys



Credit: Krause

KIDS / DES

- ground based imaging survey at CTIO 4m telescope of Southern region (SZE-survey overlap)
- camera: 520Mpx, 2.23deg² FoV
- start: next year
- 5,000deg² in 4bands g r i z
- DE probes: GC, BAOs, WL, SNIa
- objects: galaxies, galaxy clusters (with photometric redshifts)
- redshift range: 0<z<1.3
- DE constraints: $\sigma_{\omega} \sim 5-15\%$

Source: <http://www.darkenergysurvey.org/>

Nancy Roman Telescope

Wide-Field Infrared Survey Telescope - Astrophysics Focused Telescope Assets (WFIRST-AFTA) - Final Report by the Science Definition Team (SDT) and WFIRST Project

e-Rosita X-ray Telescope

- space-based X-ray cluster survey
- currently build at MPE in Garching
- start: 2012
- all sky coverage
- DE probes: GC, BAOs
- objects: 100,000 galaxy clusters
- redshift range: 0<z<1.5
- DE constraints: $\sigma_{\omega} \sim 5\%$
- requires large ground-based follow-up program for identification and redshifts

R. Faisst/Introduction to Observational Cosmology I - WS09/10

Euclid Telescope

- space-based optical/NIR imaging and spectroscopy survey
- 20,000deg² extragalactic survey
- start: >2016
- DE probes: WL, BAOs, GC
- $\sigma_{\omega} \sim 2\%$

similar mission plans in US for JDEM (Joint Dark Energy Mission) Italy with a stronger focus on SNIa

Source: M. Schwitzer (MPE)

HETDEX

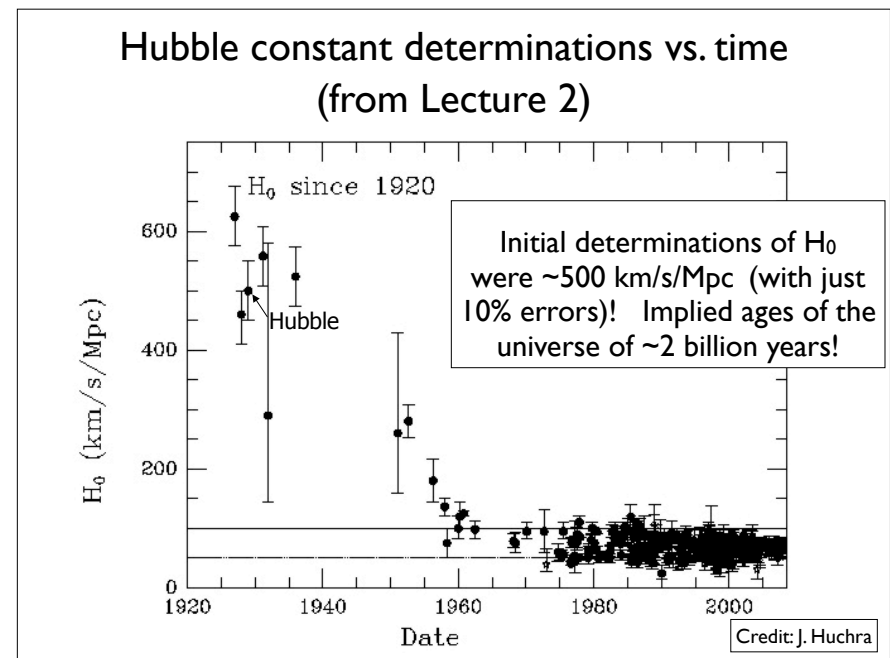
The Hobby-Eberly Telescope Dark Energy Experiment

VIRUS Mounted on the HET

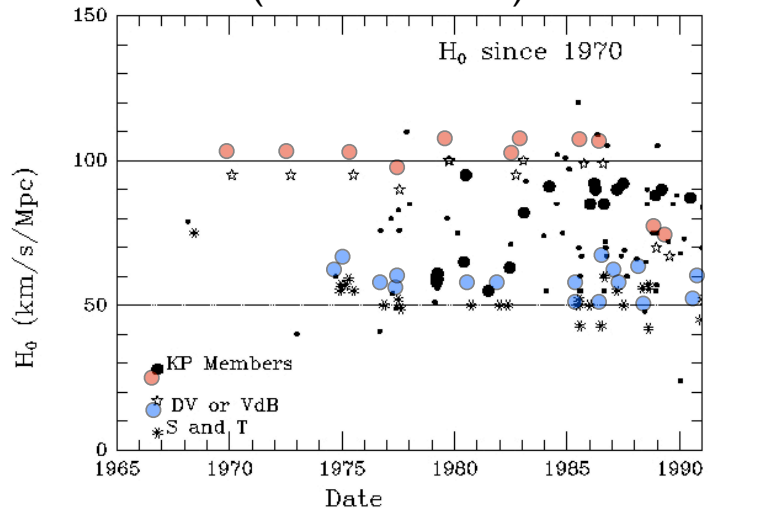
New Material for This Week

Unsolved Tensions between Different Probes Trying to Measure the Cosmological Parameters

Focus on $H_0 =$ Hubble Constant

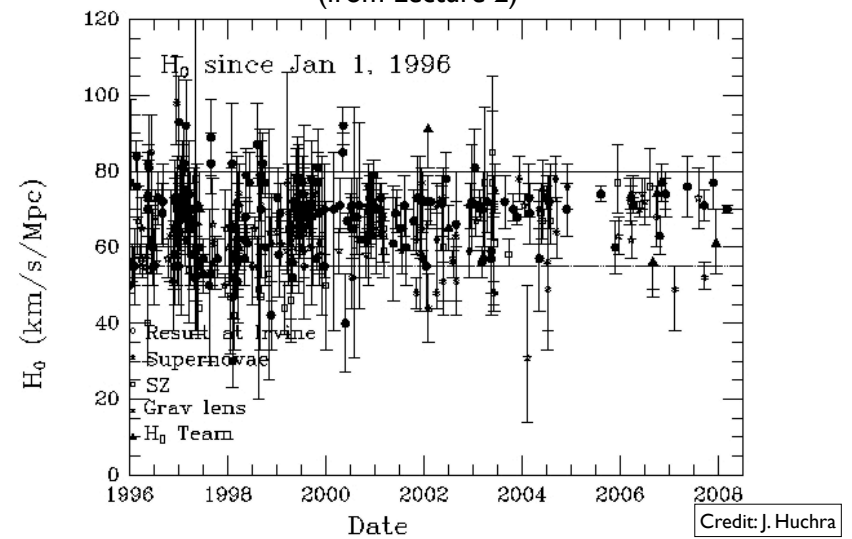


Hubble constant determinations vs. time (from Lecture 2)



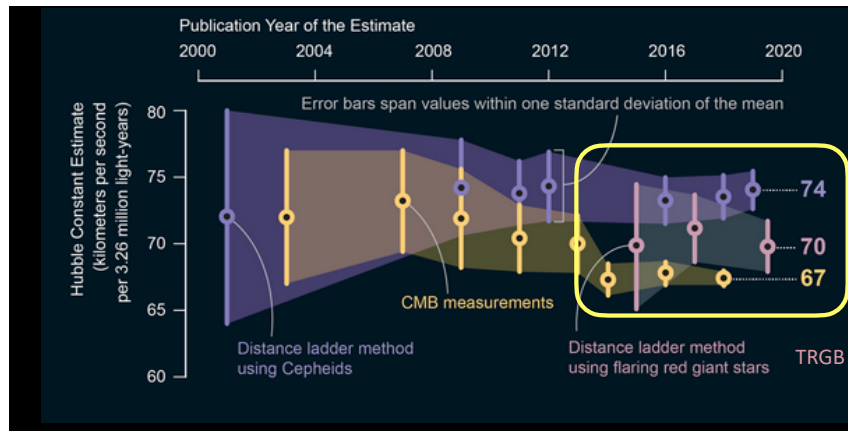
Copyright J. Huchra 2008

Hubble constant determinations vs. time (after observations began with Hubble Space Telescope) (from Lecture 2)



Credit: J. Huchra

Hubble constant determinations vs. time



An apparent discrepancy has arisen between the value of the Hubble constant derived from nearby studies using a Cepheid distance ladder

and that measured from the CMB (particularly Planck)

H_0 tension

Riess et al (2019):

$$H_0 = 74.03 \pm 1.42 \text{ km/s/Mpc}$$

(1.9% measurement)

Planck (2019):

$$H_0 = 67.44 \pm 0.58 \text{ km/s/Mpc}$$

(0.9% measurement)

Discrepant by 6.59 km/s/Mpc
($\approx 10\%$ discrepancy, or 4.3σ)

As Adam Riess emphasises *this is not a small discrepancy.*

Credit: Efstathiou

Step 2: Cepheids to Type Ia Supernovae

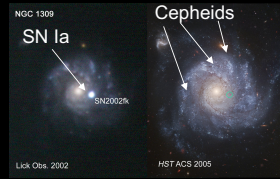
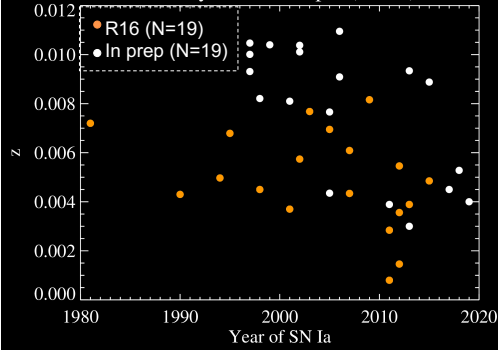
Number nearby SN Ia limits H_0 precision, $\sigma = \frac{6\%}{\sqrt{N}}$

SN Ia Requirements: $A_V < 0.5$, normal, pre-max, digital

Host Requirements: Late-type, $z < 0.01$, not-edge on

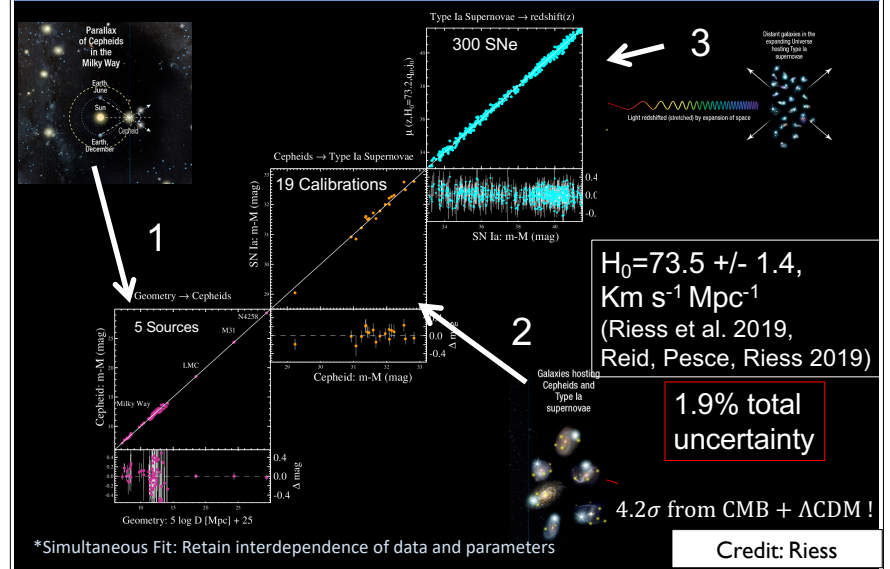
2020 Complete sample (new ones @ 1.5/yr)

Nearby SN Ia Sample (N=38)

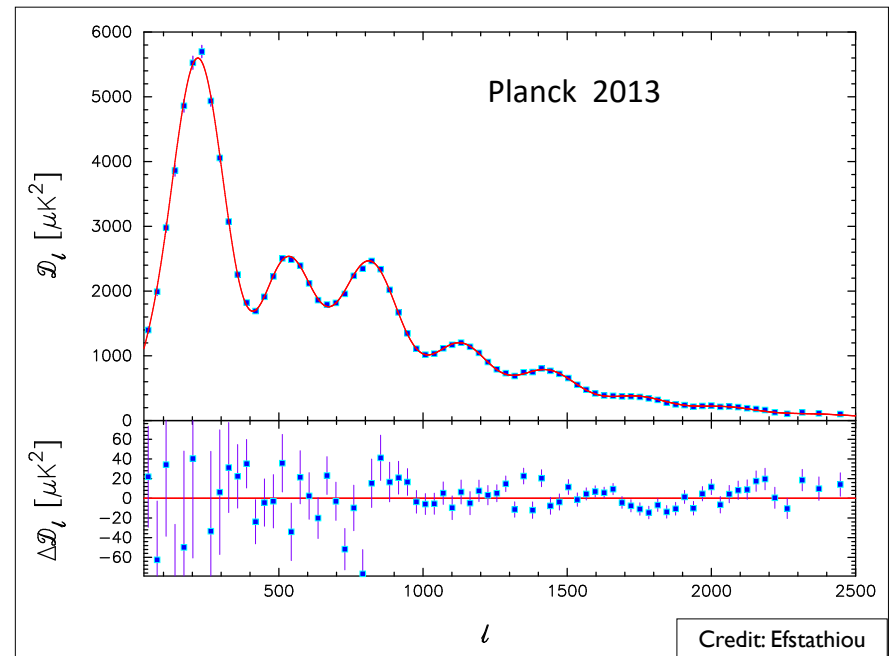


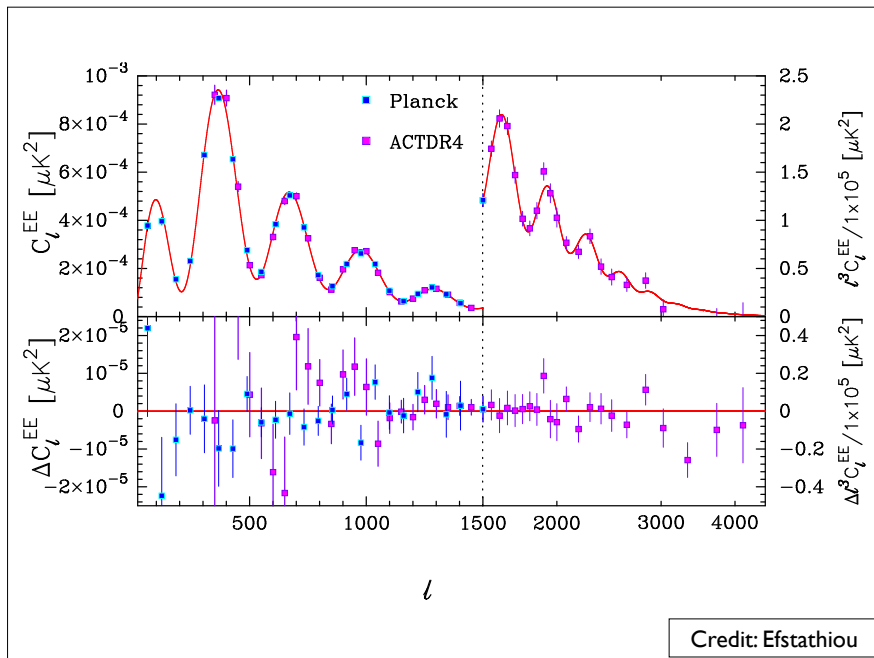
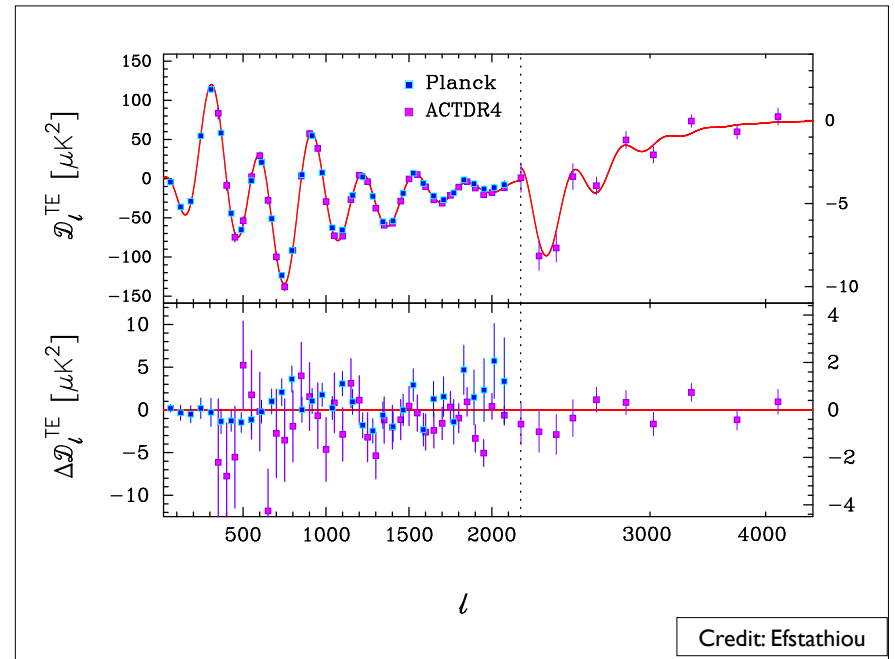
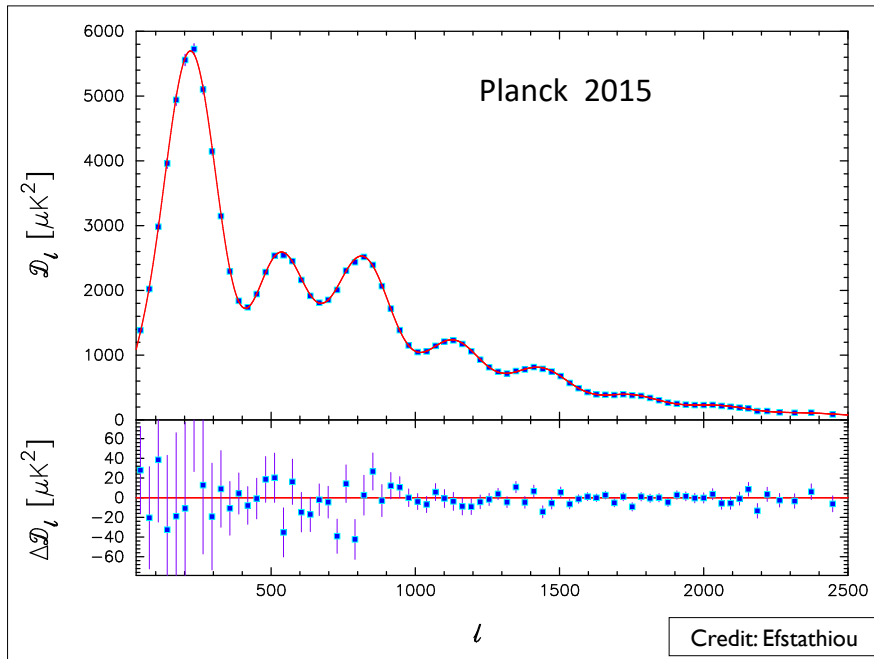
Credit: Riess

The Hubble Constant in 3 Steps: Present Data



Hubble Constant
from CMB experiments
(most recently Planck)





6 Λ CDM parameters

Scalar Amplitude primordial spectrum

A_s $+10\%$ $\ln(10^{10} A_s)$

Scalar spectral index

n_s $+40\%$ n_s

Angular scale of sound horizon

θ $+8\%$ θ

Optical depth to reionization

τ $+40\%$ τ

Physical density of baryons

$\Omega_b h^2$ $+40\%$ $\Omega_b h^2$

Physical density of dark matter

$\Omega_c h^2$ $+40\%$ $\Omega_c h^2$

Assumptions:

- Adiabatic initial conditions
- $N_{\text{eff}}=3.046$
- 1 massive neutrino 0.06eV.
- Tanh reionization ($\Delta z=0.5$)

Initial conditions A_s, n_s :

$$\mathcal{P}_{\mathcal{R}}(k) = A_s \left(\frac{k}{k_0} \right)^{n_s-1}$$

Credit: Galli

Baseline Λ CDM results 2018

(Temperature+polarization+CMB lensing)

	Mean	σ	[%]
$\Omega_b h^2$ Baryon density	0.02237	0.00015	0.7
$\Omega_c h^2$ DM density	0.1200	0.0012	1
100θ Acoustic scale	1.04092	0.00031	0.03
τ Reion. Optical depth	0.0544	0.0073	13
$\ln(A_s 10^{10})$ Power Spectrum amplitude	3.044	0.014	0.7
n_s Scalar spectral index	0.9649	0.0042	0.4
H_0 Hubble	67.36	0.54	0.8
Ω_m Matter density	0.3153	0.0073	2.3
σ_8 Matter perturbation amplitude	0.8111	0.0060	0.7

Robust against changes of likelihood, $<0.5\sigma$.



- Most of parameters determined at (sub-) percent level!
- Best determined parameter is the angular scale of sound horizon θ to 0.03%.
- τ lower and tighter due to HFI data at large scales.
- n_s is 8σ away from scale invariance (even in extended models, always $>3\sigma$)
- Best (indirect) **0.8% determination of the Hubble constant** to date.

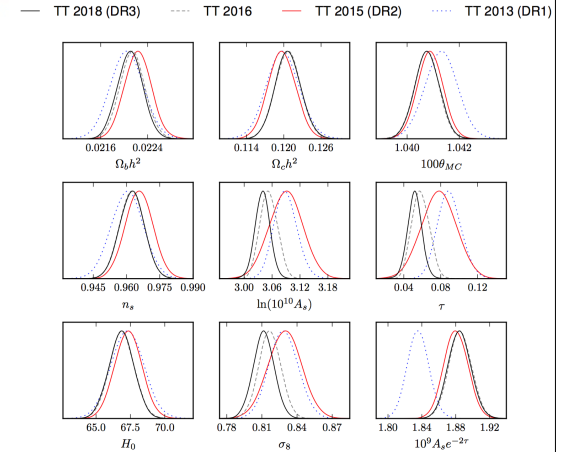
Credit: Galli

Take away message stable across releases

Changes across releases compatible with statistical fluctuations and systematics corrections.

Λ CDM is a good fit to the data
No evidence of preference for classical extensions of Λ CDM

Just a few (2-3 σ) outliers.



Credit: Galli

No "classical" extension of Λ CDM where H_0 is high from Planck data alone

Parameter(s)	$\Omega_b h^2$	$\Omega_c h^2$	100 θ_{MC}	H_0	n_s	$\ln(10^{10} A_s)$
Base Λ CDM	0.02237 \pm 0.00015	0.1200 \pm 0.0012	1.04092 \pm 0.00031	67.36 \pm 0.54	0.9649 \pm 0.0042	3.044 \pm 0.014
r	0.02237 \pm 0.00014	0.1199 \pm 0.0012	1.04092 \pm 0.00031	67.40 \pm 0.54	0.9659 \pm 0.0041	3.044 \pm 0.014
$dn_s/d \ln k$	0.02240 \pm 0.00015	0.1200 \pm 0.0012	1.04092 \pm 0.00031	67.36 \pm 0.53	0.9641 \pm 0.0044	3.047 \pm 0.015
$dn_s/d \ln k, r$	0.02243 \pm 0.00015	0.1199 \pm 0.0012	1.04093 \pm 0.00030	67.44 \pm 0.54	0.9647 \pm 0.0044	3.049 \pm 0.015
$d^2 n_s/d \ln k^2, dn_s/d \ln k$	0.02237 \pm 0.00016	0.1202 \pm 0.0012	1.04090 \pm 0.00030	67.28 \pm 0.56	0.9625 \pm 0.0048	3.049 \pm 0.015
N_{eff}	0.02224 \pm 0.00022	0.1179 \pm 0.0028	1.04116 \pm 0.00043	66.3 \pm 1.4	0.9589 \pm 0.0084	3.036 \pm 0.017
$N_{eff}, dn_s/d \ln k$	0.02216 \pm 0.00022	0.1157 \pm 0.0032	1.04144 \pm 0.00048	65.2 \pm 1.6	0.950 \pm 0.011	3.034 \pm 0.017
Σm_ν	0.02236 \pm 0.00015	0.1201 \pm 0.0013	1.04088 \pm 0.00032	67.1 $^{+1.2}_{-0.67}$	0.9647 \pm 0.0043	3.046 \pm 0.015
$\Sigma m_\nu, N_{eff}$	0.02221 \pm 0.00022	0.1179 $^{+0.0027}_{-0.0030}$	1.04116 \pm 0.00044	65.9 $^{+1.8}_{-1.6}$	0.9582 \pm 0.0086	3.037 \pm 0.017
$m_{sterile}^{eff}, N_{eff}$	0.02242 $^{+0.00014}_{-0.00016}$	0.1200 $^{+0.0032}_{-0.0030}$	1.04074 $^{+0.00033}_{-0.00029}$	67.11 $^{+0.63}_{-0.79}$	0.9652 $^{+0.0045}_{-0.0056}$	3.050 $^{+0.014}_{-0.016}$
α_s	0.02238 \pm 0.00015	0.1201 \pm 0.0015	1.04087 \pm 0.00043	67.30 \pm 0.67	0.9645 \pm 0.0061	3.045 \pm 0.014
w_0	0.02243 \pm 0.00015	0.1193 \pm 0.0012	1.04099 \pm 0.00031	...	0.9666 \pm 0.0041	3.038 \pm 0.014
Ω_k	0.02249 \pm 0.00016	0.1185 \pm 0.0015	1.04107 \pm 0.00032	63.6 $^{+2.1}_{-2.3}$	0.9688 \pm 0.0047	3.030 $^{+0.017}_{-0.015}$
Y_P	0.02230 \pm 0.00020	0.1201 \pm 0.0012	1.04067 \pm 0.00055	67.19 \pm 0.63	0.9621 \pm 0.0070	3.042 \pm 0.016
Y_P, N_{eff}	0.02224 \pm 0.00022	0.1171 $^{+0.0042}_{-0.0049}$	1.0415 \pm 0.0012	66.0 $^{+1.7}_{-1.9}$	0.9589 \pm 0.0085	3.036 \pm 0.018
A_L	0.02251 \pm 0.00017	0.1182 \pm 0.0015	1.04110 \pm 0.00032	68.16 \pm 0.70	0.9696 \pm 0.0048	3.029 $^{+0.018}_{-0.016}$

More "sophisticated" extensions needed...



Planck collaboration 2018, 1807.06209

Credit: Galli

CMB measurements

Planck 2018	$H_0 = 67.4 \pm 0.5$
Reid+ 2019	$H_0 = 73.5 \pm 1.4$

- WMAP and SPT give somewhat larger but still consistent with Planck values of H_0
 - WMAP9* $H_0 = 70 \pm 2.2$ [Km/s/Mpc] (Hinshaw et al. 2013)
 - SPT-SZ $H_0 = 73.3 \pm 3.5$ (Aylor et al. 2017)
 - SPTPol (TE,EE) $H_0 = 71.2 \pm 2.12$ (Henning+17)
 - ACTPol (TT,TE,EE) $H_0 = 67.3 \pm 3.6$ (Louis+17)

- Are these consistent with the low H_0 Planck measurement? When adding BAO, yes!

- Combining WMAP ACT and SPT with BAO to decrease errors low H_0

- WMAP9+BAO (BOSSDR11+6dFGS+Lyman α)+high-z Sne

$H_0 = 68.1 \pm 0.7$ (Aubourg+ 2015)

- WMAP9+ACT+SPT + BAO (BOSS DR11+6dFGS)

$H_0 = 69.3 \pm 0.7$ (Bennet+ 2014)

Planck, WMAP and SPT are consistent with each other.

*NB: these were obtained using slightly different assumptions for



Credit: Galli

Indirect measurement of the Hubble constant from the CMB

Calculate the **physical dimension of sound horizon** assumes model for sound speed and expansion of the universe before recombination (after measuring ω_m and ω_b)

Measure the **angular scale of sound horizon** from the position of the peaks

$$r_s = \int_{z'_s}^{\infty} \frac{c_s(z)}{H(z)} dz$$



Infer the distance to the last scattering surface, which depends on H_0 Friedmann equation, infer H_0 .

Expansion rate after recombination

$$H^2(z) = H_0^2 (\Omega_m (z+1)^3 \dots)$$

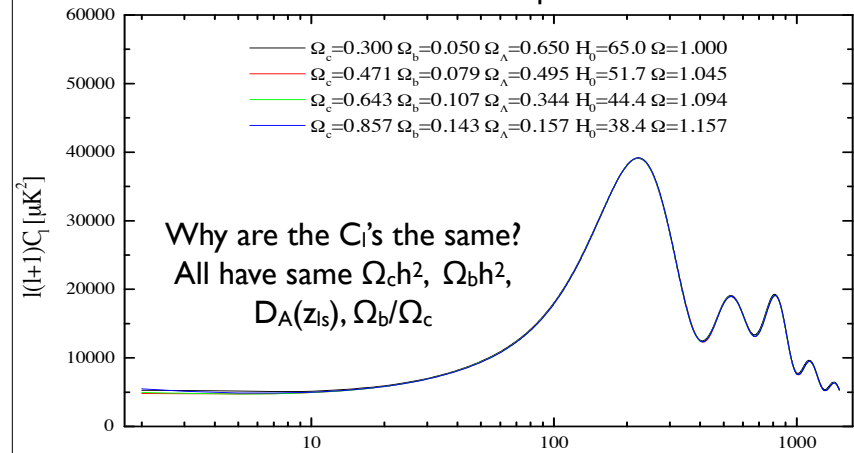
H(z) here is the expansion rate of the universe at **late times**

Model dependent!

Credit: Galli

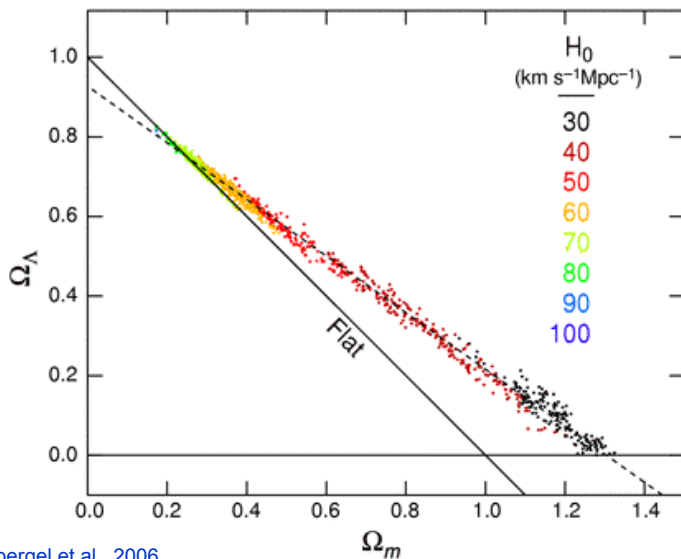
Degeneracies:

Multiple Sets of Cosmological Parameters give Same CMB Power Spectrum



Credit: Melchiorri & Griffiths

Degeneracies in Deriving H_0 from CMB

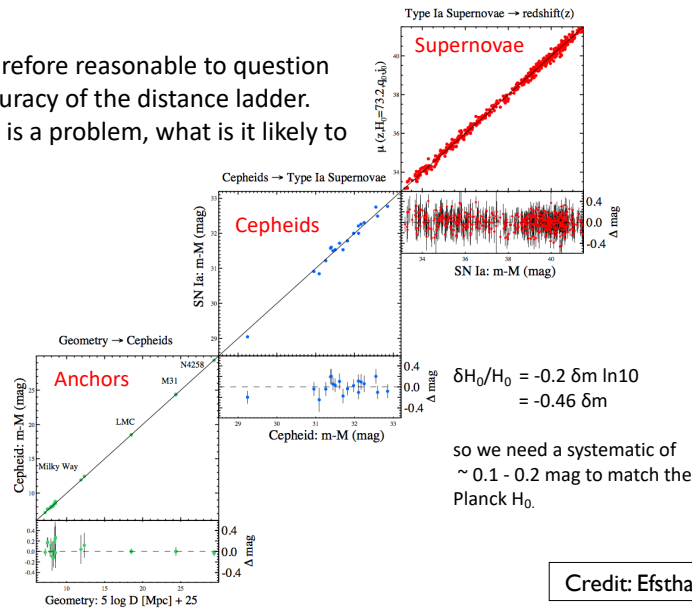


Spergel et al., 2006

Are there problems with H_0 from Cepheids + Distance Ladder?

Perhaps — see next slide

It is therefore reasonable to question the accuracy of the distance ladder. If there is a problem, what is it likely to be?



Credit: Efstathiou

Does the SH₀ES team (who uses Cepheid) agree?

Not so much...

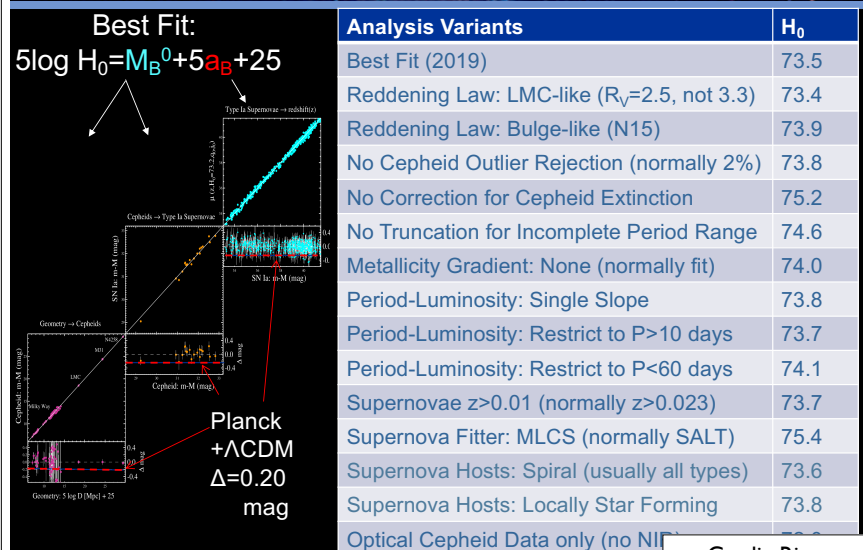
Robust? Seven Sources of Cepheid Geometric Calibration

Independent Geometric Source	σ_D	H_0
NGC 4258 H ₂ O Masers: Reid, Pesce, Riess 2019	1.5%	72.0
LMC 20 Detached Eclipsing Binaries: Pietrzynski+ 2019 + 70 HST LMC Cepheids: Riess+(2019) AGREES WITH GAIA EDR3	1.3%	74.2
Milky Way 10 HST FGS Short P Parallaxes: Benedict+2007 --also Hipparcos (Van leeuwen et al 2007)	2.2%	76.2
Milky Way 8 HST WFC3 SS Long P Parallaxes: Riess+ 2018	3.3%	75.7
Milky Way 50 Gaia+HST, Long P Parallaxes: Riess+ 2018	3.3%	73.7
Milky Way Short P Cepheid Binary Gaia Companion Parallax: Breuval+20	3.8%	72.7
Milky Way Short P Cepheid Cluster Gaia Parallax: Breuval+20	3.2%	73.6

Consistent Results ($\leq 2\sigma$), Independent Systematics

Credit: Riess

Systematics? 23 Analysis Variants—we propagate variation to error



Credit: Riess

FAQ

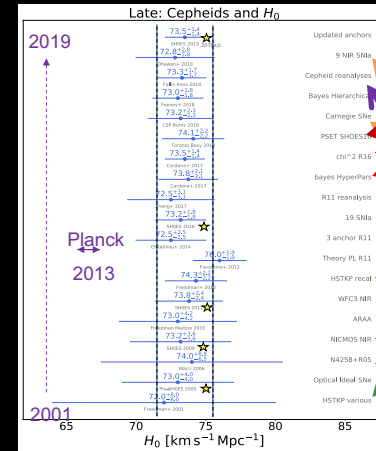
Frequently Asked Questions: technical, see backup slide

- Could we live in a giant void (9% in H_0)?
No, LSS Theory and SN Ia mag-z limit $\sigma \sim 0.6\%$ in H_0
Odderskov et al. (2016), Wu & Huterer (2017), Kenworthy, Scolnic, Riess 2019
- Is HST WFC3-IR flux scale linear to 1%?
Yes, calibrated to $\sigma = 0.3\%$ in H_0 across 15 mag
Riess, Narayan, Calamida 2019
- Does Cepheid crowding compromise accuracy?
No, amplitude data confirms locality of crowding
Riess, Yuan, Casertano, Macri, Scolnic 2020
- Is there a difference in SN Ia at ends of distance ladder?
No, correlations of Hubble residuals $< \sigma = 0.3\%$ in H_0
Jones et al 2018

Credit: Riess

Cepheids+SN Ia Ladder, Most Widely Replicated: 2001-2019

Why Cepheids? Advantages: 1) longest-range 2) most calibrations 3) consistent photometry along ladder 4) most tested...



SH₀ES results (★) cumulative but compared to present... consistent

grad student problem set! (Toronto) Different analyses

Different SNe, wavelength

"Planck People"

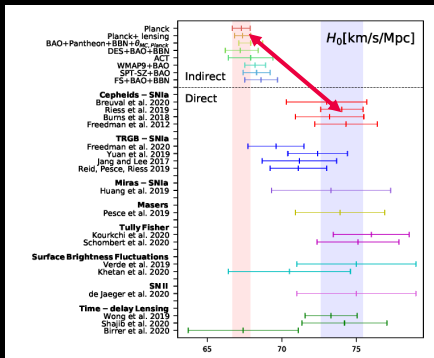
Different Team (KP), photometry, Cepheids, wavelengths

Different HST Instruments

Credit: Riess

~~The Hubble Constant Tension, Discrepancy, Problem, Crisis~~

Status late 2020



Compilation from Di Valentino(2020)

KITP 2019 (Verde, Treu, Riess 2019)

"does not appear to depend on the use of any one method, team or source"

No Cepheids: 4.5-5.3 σ

No TRGB: 5.7-6.3 σ

No lens: 5.0 σ

No SN Ia: 4.9 σ

No Cepheids or TRGB: 5.3 σ

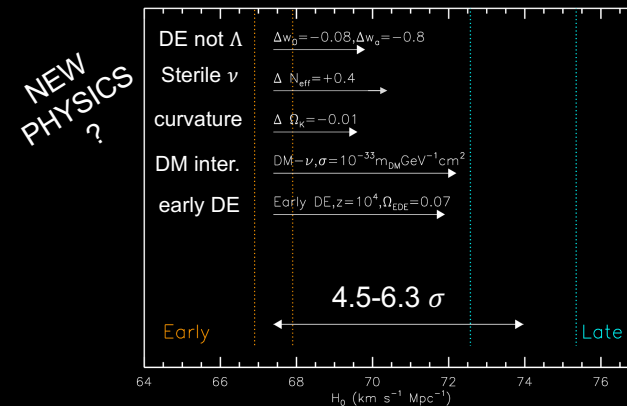
No Planck: 4.4-4.9 σ

No CMB: 4.0-4.5 σ

(Riess 2019, Nature Reviews)

Credit: Riess

Cause Early vs Late Difference? Newton: "Feign No Hypothesis"



"The Hubble Hunter's Guide", Knox and Millea, 2019: "Most Likely": Increase Expansion Rate Pre-recombination->reduce sound horizon by 5-8% Mechanisms: Early DE or sterile (self-interacting) neutrinos Claims: better fit to CMB, new CMB features, cosmic birefringence as evidence of CMB coupling to EDE/ALPs or pNG Boson (Capp)

Credit: Riess

The CMB people agree their method is indirect

Indirect measurement of the Hubble constant from the CMB

Calculate the **physical dimension of sound horizon** assumes model for sound speed and expansion of the universe before recombination (after measuring ω_m and ω_b)

Measure the **angular scale of sound horizon** from the position of the peaks

$$r_s = \int_{z_s}^{\infty} \frac{c_s(z)}{H(z)} dz$$

$H(z)$ here is the expansion rate of the universe at **early times**



$$D_A(z = 1100) = \int_0^z dz' / H(z')$$

$H(z)$ here is the expansion rate of the universe at **late times**

Infer the distance to the last scattering surface, which depends on H_0 Friedmann equation, infer H_0 .

Expansion rate after recombination

$$H^2(z) = H_0^2 (\Omega_m (z+1)^3 \dots)$$

Model dependent!

Credit: Galli

Is this the only hotly debated disagreement in observational cosmology?

No!

Also a matter of σ_8

SLIDE FROM PREVIOUS LECTURE on σ_8

While deriving correlation function and Power spectrum from galaxy survey, one thing we are particularly interested in is the normalization of the power spectrum

$$P_0(k) = A k^{n_s} \quad \begin{matrix} \text{(related to the A parameter here)} \\ (n_s = 1) \end{matrix}$$

This is defined using this parameter σ_8 (intended to represent the root-mean-squared fluctuations in a $8 h^{-1} \text{Mpc}$ volume):

$$\sigma_{8,g}^2 := \left\langle \left(\frac{\Delta n}{\bar{n}} \right)^2 \right\rangle_8 \approx 1 \quad \begin{matrix} (8 h^{-1} \text{Mpc was chosen} \\ \text{because appeared close to 1}) \end{matrix}$$

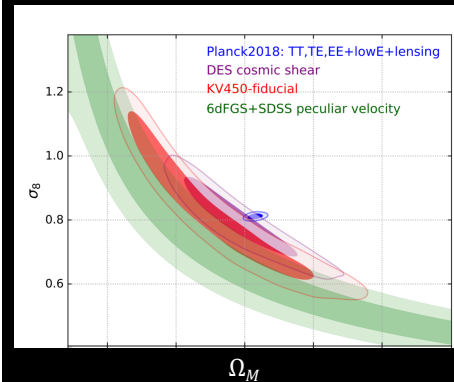
Size of density fluctuations in a volume really defines the amplitude of power spectrum

Tension in σ_8

Another Early vs Late Tension? Matter clumpiness, σ_8

RMS matter fluctuation, σ_8 , ($r=8 h^{-1} \text{Mpc}$), 0.8 Early vs late divide

$\sim 3 \sigma$ from lensing and peculiar velocities, independently



6dFGS+SDSS

Said, K et al 2020, MNRAS, 497, 1275

"...deviates by more than 3σ from the latest Planck CMB measurement. Our results favour ... a Hubble constant $H_0 > 70 \text{ km s}^{-1} \text{ Mpc}^{-1}$ or a fluctuation amplitude $\sigma_8 < 0.8$ or some combination of these."

Can We Believe Measurements without Explanation?

Don't sweep "problems" under the rug



"Problems" are often clues!

~~Precession of Mercury~~

Solved!

~~Solar Neutrino Problem~~

Solved!

~~Missing Baryon Problem~~

Solved!

Lithium Problem

CMB Cold Spot

Flat rotation curves/
what/where is dark matter?

Accelerating Universe/
why Λ so small?

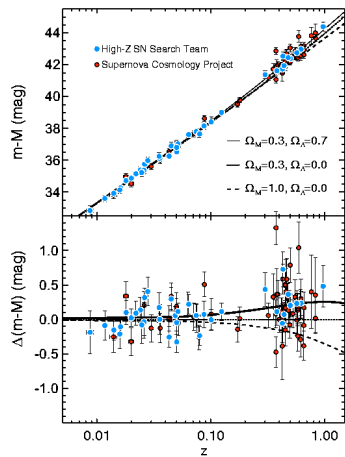
Credit: Riess

Beyond significant tensions
between different cosmological
probes

This is a very active field of
scientific inquiry, with progress
being made every year!

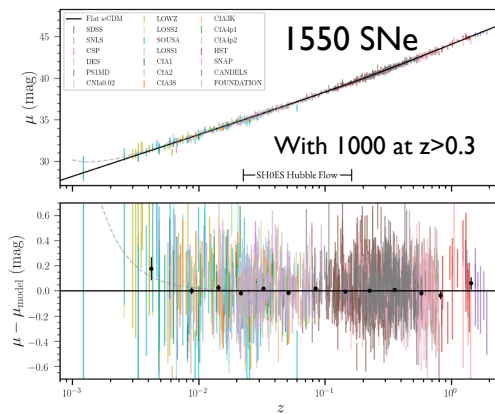
Progress in SNe surveys

Riess+1998



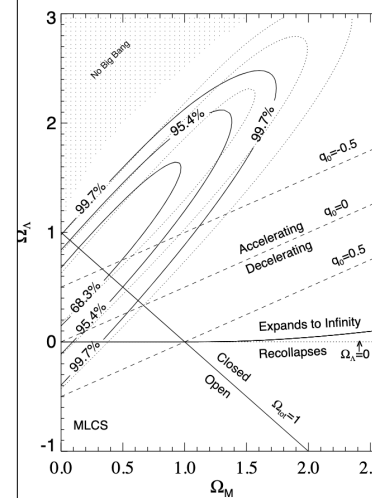
~50 SNe

Pantheon+ Brout+2022

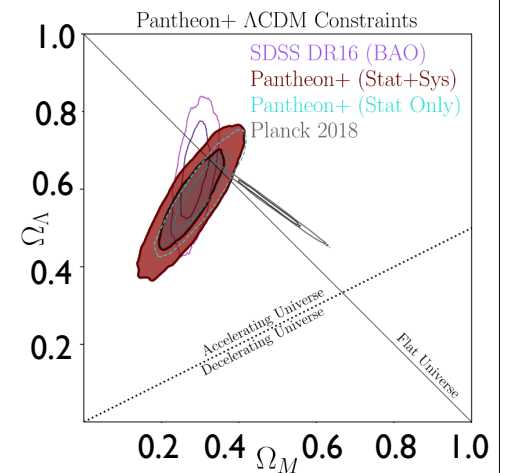


Progress in SNe surveys

Riess+1998



Pantheon+ Brout+2022



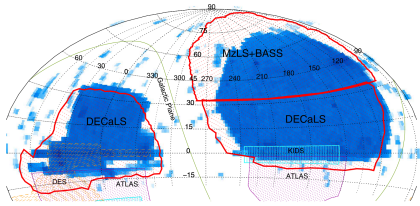
From 2 weeks ago:

DESI Survey

Dark Energy Spectroscopic Instrument (DESI) situated at NSF Mayall 4-m telescope at Kitt Peak National Observatory

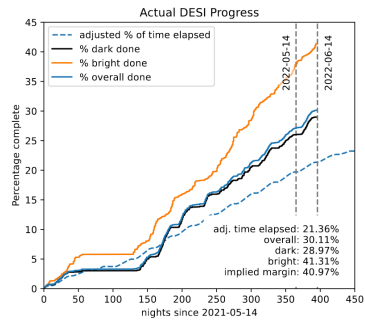
5000 redshifts per mask

Map galaxies and QSO redshifts and positions over 16000 deg² area



Dey+2018

Redshifts acquired slowly



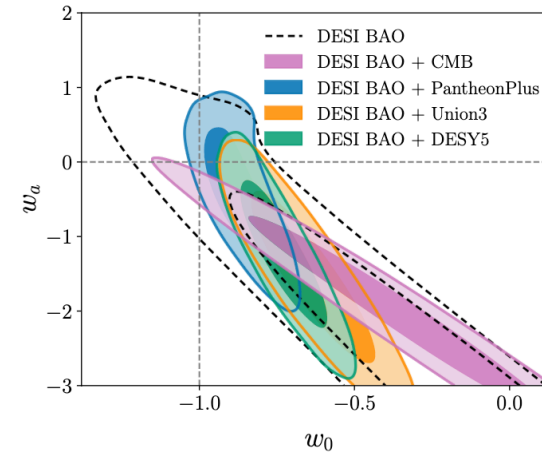
Schafsky + 2022

From 2 weeks ago:

DESI Survey

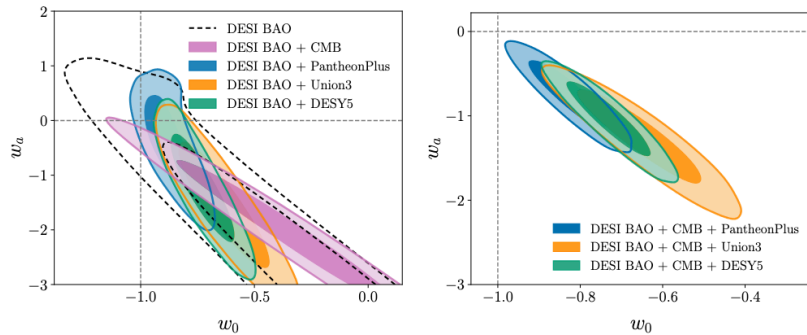
First Year Results

~2-3 sigma tension with cosmological constant model ($w_0 = -1, w_a = 0$)



New Paper in Last 2 Weeks

2 year results from DESI



~2.5-4 sigma tension with cosmological constant model ($w_0 = -1, w_a = 0$)

Final Exam

April 11, 2025

13:15-16:15

Study Guide for Exam

1. In general, please have a basic understanding of everything discussed in lecture. If you do not understand it, please read the supplementary readings, the textbook, or ask Thomas, your classmates, or me. [Questions are helpful for improving the course – since I can use your feedback to improve the clarity of the lectures.]
2. Familiarize yourself with all the homework problems and solutions to these problems given on the course web site; expect to find 1-2 problems on the exam that are very similar to homework problems.
3. Please be familiar with the three different methods of estimating the age of the universe observationally and how this compares with estimates based on the Hubble constant. Be capable of explaining the basic idea behind each.
4. Have a basic idea of how the extragalactic distance ladder is set up and the basic challenges in measuring the Hubble constant. Be able to provide a brief explanation for the techniques used to set up the distance ladder. You should also have a basic understanding of the two methods to determine H_0 which are entirely independent of the distance ladder.

Study Guide for Exam

9. Have an understanding of the basic manner in which density perturbations grow with cosmic time, how this depends on the spatial scale, and how this depends upon whether the universe is radiation or matter-dominated. Also have an understanding of how baryon acoustic oscillations are introduced onto the matter power spectrum and what we can learn about the universe by thoroughly quantifying the properties of these oscillations.
10. How do astronomers describe the normalization of the power spectrum? What experiments did we discuss in class to constrain the normalization and how does each work?
11. Have a basic idea of the various approaches astronomers use to find galaxy clusters and how astronomers use galaxy clusters to constrain the cosmological model.
12. Be familiar with the four main techniques for constraining the dark energy properties of the universe (supernovae Ia, galaxy cluster searches, baryon acoustic oscillations, cosmic shear). Be capable of explaining how each works and know the basic steps that are essential to the use of each technique. What are the strengths and weaknesses of each technique?

Study Guide for Exam

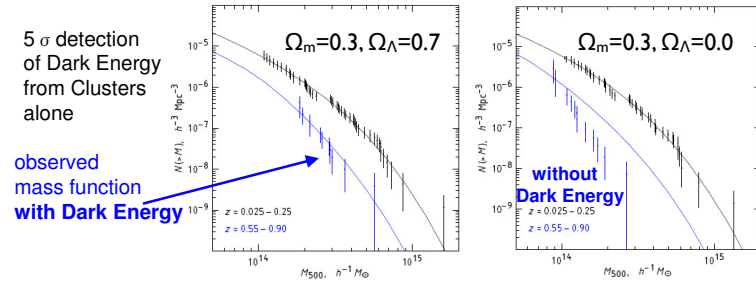
5. Be capable of discussing in detail how we can determine the baryon and dark matter density of the universe. Have a basic understanding of the many different approaches we have to determine these quantities. You will be tested on your understanding of the basic concepts and your ability to clearly explain them.
6. Be familiar with what we can learn about the cosmological parameters from the cosmic microwave background TT, TE, EE, and BB power spectra and how these power spectra are measured. Be capable of explaining why the cosmic microwave background radiation shows a coherent polarization and what additional information the polarization signal gives us about the universe.
7. While you are not expected to precisely remember all the equations seen in class, you should be aware of the approximate scaling of important quantities against other important variables.
8. Have a solid understanding of what the matter power spectrum is and why it has the basic shape that it does and how we can constrain it on various scales. Understand how astronomers measure the clustering of galaxies in real observations, the challenges in doing so, the different types of clustering measures, and how astronomers can use clustering to constrain the matter power spectrum. How is the spatial scale of the peak of the matter power spectrum related to the cosmological parameters and why?

Study Guide for Exam

13. Be familiar with the ways that quantities like the luminosity distance, angular size distance, the Hubble parameter depend on the cosmological parameters (in particular Ω_m and Ω_Λ).
14. Have a basic understanding of which parameters the many different experiments discussed in class allow us to constrain, what (if any) degeneracies exist, and how astronomers can put together the observational constraints from many different experiments to establish the values of Ω , Ω_m , Ω_Λ , Ω_b , H_0 , ...
15. Be familiar with the dark energy experiments discussed in class and be able to describe each (very briefly) and answer very simple questions about each.
16. While most of the exam should be relatively easy if you have a good understanding of all the concepts and material discussed in lecture, some questions will include a few parts where I will expect a greater mastery of the course material, supplementary readings, and textbook. This material will be what I use to determine who merits very high marks in the course (≥ 8.5 or 9), so you should not stress if you are not able to answer all the questions on the exam perfectly.

One example exam problem:

Counting the number of galaxy clusters on the sky versus apparent mass can provide a powerful constraint on the cosmological parameters... as illustrated from the comparison below:



Vikhlinin et al. 2009 (Chandra Cluster Cosmology Project)

The angular diameter distance $D_A(z)$, comoving volume, and growth factor all depend on redshift in a characteristic way depending on the cosmology. Explain how each factor would affect the comparison shown here.