

# Searching for proto-planets with MUSE

C. Xie (谢晨)<sup>1</sup>, S. Y. Haffert<sup>1,2,\*</sup>, J. de Boer<sup>1</sup>, M. A. Kenworthy<sup>1</sup>, J. Brinchmann<sup>1,3</sup>, J. Girard<sup>4</sup>,  
I. A. G. Snellen<sup>1</sup>, and C. U. Keller<sup>1</sup>

<sup>1</sup> Leiden Observatory, Leiden University, PO Box 9513, 2300 RA Leiden, The Netherlands  
e-mail: [xie@strw.leidenuniv.nl](mailto:xie@strw.leidenuniv.nl)

<sup>2</sup> Steward Observatory, 933 North Cherry Avenue, University of Arizona, Tucson, AZ 85721, USA

<sup>3</sup> Instituto de Astrofísica e Ciências do Espaço, Universidade do Porto, CAUP, Rua das Estrelas, 4150-762 Porto, Portugal

<sup>4</sup> Space Telescope Science Institute, Baltimore 21218, MD, USA

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## ABSTRACT

**Context.** Protoplanetary disks contain structures such as gaps, rings, and spirals, which are thought to be produced by the interaction between the disk and embedded protoplanets. However, only a few planet candidates are found orbiting within protoplanetary disks, and most of them are being challenged as having been confused with disk features.

**Aims.** The VLT/MUSE discovery of PDS 70 c demonstrated a powerful way of searching for still-forming protoplanets by targeting accretion signatures with medium-resolution integral field spectroscopy. We aim to discover more proto-planetary candidates with MUSE, with a secondary aim of improving the high-resolution spectral differential imaging (HRSDI) technique by analyzing the instrumental residuals of MUSE.

**Methods.** We analyzed MUSE observations of five young stars with various apparent brightnesses and spectral types. We applied the HRSDI technique to perform high-contrast imaging. The detection limits were estimated using fake planet injections.

**Results.** With a 30 min integration time, MUSE can reach  $5\sigma$  detection limits in apparent  $H\alpha$  line flux down to  $10^{-14}$  and  $10^{-15}$  erg s<sup>-1</sup> cm<sup>-2</sup> at 0.075'' and 0.25'', respectively. In addition to PDS 70 b and c, we did not detect any clear accretion signatures in PDS 70, J1850-3147, and V1094 Sco down to 0.1''. MUSE avoids the small sample statistics problem by measuring the noise characteristics in the spatial direction at multiple wavelengths. We detected two asymmetric atomic jets in HD 163296 with a very high spatial resolution (down to 8 au) and medium spectral resolution ( $R \sim 2500$ ).

**Conclusions.** The HRSDI technique when applied to MUSE data allows us to reach the photon noise limit at small separations (i.e.,  $<0.5''$ ). With the combination of high-contrast imaging and medium spectral resolution, MUSE can achieve fainter detection limits in apparent line flux than SPHERE/ZIMPOL by a factor of  $\sim 5$ . MUSE has some instrumental issues that limit the contrast that appear in cases with strong point sources, which can be either a spatial point source due to high Strehl observations or a spectral point source due to a high line-to-continuum ratio. We modified the HRSDI technique to better handle the instrumental artifacts and improve the detection limits. To avoid the instrumental effects altogether, we suggest faint young stars with relatively low  $H\alpha$  line-to-continuum ratio to be the most suitable targets for MUSE to search for potential protoplanets.

**Key words.** techniques: high angular resolution – techniques: imaging spectroscopy – techniques: image processing – planet-disk interactions – planets and satellites: detection – ISM: jets and outflows

## 1. Introduction

In the past decade many have searched for newly forming planets (protoplanets) in protoplanetary disks, which are thought to be the birthplace of protoplanets. Recent observations at infrared (IR) and millimeter wavelengths have found protoplanetary disks containing structures such as gaps (ALMA Partnership 2015; Thalmann et al. 2015; Andrews et al. 2016, 2018), rings (Andrews et al. 2016, 2018; van Terwisga et al. 2018; Muro-Arena et al. 2020), and spirals (Muto et al. 2012; Garufi et al. 2013; Benisty et al. 2015; Reggiani et al. 2018). The interaction between the disk and embedded planets is one of the possible explanations for such disk features (Kley & Nelson 2012; Pinilla et al. 2012; de Juan Ovelar et al. 2013; Zhu et al. 2014; Dong et al. 2015a,b). Furthermore, disk morphology can be used to constrain the properties of embedded planets, such as masses and locations (Fung & Dong 2015; Dong & Fung 2017). Alternative theories were also proposed to explain the existence of disk features, such

as magneto-hydrodynamic instabilities (Flock et al. 2015), and snow lines (Zhang et al. 2015). Despite all the theoretical work, the origin of the gaps and rings still remains unclear (van der Marel et al. 2019). Observing protoplanets and their environments is important to understand planet-disk interaction and planet formation.

High-contrast high spatial resolution observations have thus far found a small number of point-like sources embedded in protoplanetary disks, such as LkCa 15 b, c, and d (Kraus & Ireland 2012; Sallum et al. 2015); HD 100546 b and c (Brittain et al. 2013, 2014; Quanz et al. 2013, 2015; Currie et al. 2015); HD 169142 b (Quanz et al. 2013; Biller et al. 2014); MWC 758 (Reggiani et al. 2018); and PDS 70 b and c (Keppler et al. 2018; Müller et al. 2018; Wagner et al. 2018; Haffert et al. 2019). However, these candidate protoplanets are either being challenged or are lacking further observational confirmation (Thalmann et al. 2016; Follette et al. 2017; Rameau et al. 2017; Ligi et al. 2018; Sissa et al. 2018; Huélamo et al. 2018; Currie et al. 2019; Wagner et al. 2019), except PDS 70 b and c (Keppler et al. 2018; Haffert et al. 2019; Mesa et al. 2019a). Until the observation of PDS 70 b

\* NASA Hubble Fellow.

and c, there had been no unambiguous evidence for a protoplanet embedded in a protoplanetary disk<sup>1</sup>.

The accretion signature used to discover PDS 70 c originates from shock-heated hydrogen gas with a temperature of  $\sim 10\,000$  K falling in from the circumplanetary disk onto the planet (Zhu 2015). Accretion shocks can excite or ionize the hydrogen atoms, which will later recombine and radiate H $\alpha$  emission (Calvet & Gullbring 1998; Marleau et al. 2017). Being one of the most prominent lines produced by accretion processes, the H $\alpha$  emission line has been detected in low-mass stars (Reipurth et al. 1996; Gullbring et al. 1998; Rigliaco et al. 2012), brown dwarfs (Santamaría-Miranda et al. 2018), and the planet PDS 70 b (Wagner et al. 2018). Other hydrogen accretion lines, such as H $\beta$  and Paschen  $\beta$  have also been observed on substellar companions (Natta et al. 2004; Rigliaco et al. 2012; Santamaría-Miranda et al. 2018). Planetary accretion is a very energetic process where a significant amount of flux can be emitted in a very small spectral window. The accretion luminosity can even be comparable to the total internal luminosity (Mordasini et al. 2017), which enhances the contrast ratio of planet to star in H $\alpha$  emission and makes it easier to detect. Such enhancement in contrast is one of the drivers for the search of accretion signatures. Observations of accretion signatures in H $\alpha$  has been conducted in the past few years with MagAO (Close et al. 2014; Wagner et al. 2018) and SPHERE (Cugno et al. 2019; Zurlo et al. 2020), yielding the detection of H $\alpha$  emission from substellar companions.

Commonly used observational techniques such as angular differential imaging (ADI; Marois et al. 2006) and polarimetric differential imaging (PDI; Kuhn et al. 2001) can generate point-like structures from asymmetrical features in the surrounding circumstellar disk (Follette et al. 2017; Ligi et al. 2018). In the worst scenario, it may lead to false identification of planets. Moreover, even if a point-like structure is not generated by aggressive post-processing algorithms, the detection of such hot spots in a disk can still be linked to local overdensities of dust. These post-processing artifacts can be sidestepped by observing at higher spectral resolution, which has an added benefit of better matching the spectral resolution of the features we try to observe. The commonly used narrowband filters of ZIMPOL and MagAO are substantially larger than the H $\alpha$  line (Aoyama & Ikoma 2019), which leads to excess noise from the stellar continuum.

The sensitivity of a high-contrast imager can be improved when it is combined with high-dispersion spectroscopic techniques (Sparks & Ford 2002; Riaud & Schneider 2007; Snellen et al. 2015; Wang et al. 2017; Hoeijmakers et al. 2018). The reason for the enhanced contrast is that emission from a planet has different spectral features than that of the bright host star at high spectral resolution. With the medium spectral resolution ( $R \sim 2500$  at 656 nm), the Multi-Unit Spectroscopic Explorer (MUSE; Bacon et al. 2010) has the capability of distinguishing the planetary emission line from the stellar emission line (Haffert et al. 2019), avoiding the potential false positive caused by scattering light from the circumstellar disk. Therefore, the MUSE detection of the H $\alpha$  emission line can provide unambiguous, direct evidence of the presence of accreting protoplanets embedded in their disks.

The discovery of PDS 70 c demonstrated a powerful way of searching still-forming protoplanets by targeting accretion signatures with medium-resolution integral field spectroscopy

(Haffert et al. 2019). Previous IR observations did not find the presence of PDS 70 c. The major difficulty of identifying PDS 70 c is that its location is very close to the bright ring structure. Therefore, previous IR observations would misidentify the object as a disk structure due to its elongated appearance.

In this paper we use MUSE as a high-contrast imager with high spatial (60–80 mas at 656 nm) and medium spectral resolution ( $R \sim 2500$  at 656 nm) working at optical wavelengths to search for protoplanets. MUSE is a powerful instrument that is sensitive to faint emission lines such as those originating from protoplanets embedded in protoplanetary disks or high-velocity stellar jets. The combination of spectral resolution and high-contrast imaging can improve the contrast compared to traditional imaging with narrow- or broadband filters (i.e., ZIMPOL), which observe at low spectral resolution. The data and data reduction methods are described in Sects. 2 and 3. In Sect. 4 we discuss the instrumental issues in MUSE and provided a modified high-resolution spectral differential imaging (HRSOI) technique with a successful application on V1094 Sco. In Sect. 5 we present the performance of MUSE for imaging point sources at high contrast. The example of MUSE mapping extended stellar jets is presented in Sect. 5.6. We end with a discussion and conclusions in Sects. 6 and 7.

## 2. Data

MUSE is medium-resolution integral field spectrograph (IFS) installed on the Very Large Telescope (VLT). MUSE is renowned for being a powerful IFS for studying galaxy formation and evolution (Bacon et al. 2015, 2017; Wisotzki et al. 2016, 2018), supermassive black holes (Cresci et al. 2015; Poggianti et al. 2017), and stellar populations (Husser et al. 2016; Kamann et al. 2018).

In 2019, MUSE offered a new narrow-field mode (NFM) covering a field of view (FoV) of  $7.5'' \times 7.5''$  with a spatial sampling of  $0.025''/\text{pixel}$ . Working with the GALACSI Adaptive Optics system (Oberti et al. 2016; Madec et al. 2018), the spatial resolution can reach 55–80 mas and the Strehl ratio is 5–20%, depending on the actual observing condition. The spectrograph consists of 24 identical integral field units (IFU) modules, which cover a wavelength range from 480 to 930 nm with the spectral resolving power of 1740 at 480 nm and 3450 at 930 nm. Since MUSE is not designed to be a high-contrast imager, it does not have a coronagraph to suppress starlight.

To analyze the capability of MUSE on high-contrast imaging, we selected five young stars with various brightnesses and spectral types, summarized in Table 1. For more details about the targets we refer to the following papers: PDS 70: Mesa et al. (2019b); J1850-3147: Biller et al. (2013); V1094 Sco: van Terwisga et al. (2018); HD 100546: Pineda et al. (2019); and HD 163296: Ellerbroek et al. (2014) and Isella et al. (2019). The details of the MUSE observations can be found in Table 2. Due to the range of target star brightnesses, different exposure settings were chosen to optimize the observation of bright ( $m_R = 7$  mag) and faint ( $m_R = 12$  mag) targets.

## 3. Data reduction methods

### 3.1. MUSE data reduction

The data were calibrated and reduced using the ESO MUSE pipeline<sup>2</sup>, version 2.6. The details of the MUSE pipeline can

<sup>1</sup> The famous  $\beta$  Pictoris b is orbiting in a debris disk, which is a later stage of disk evolution after the depletion of gas material in the protoplanetary disk.

<sup>2</sup> <http://www.eso.org/sci/software/pipelines>

**Table 1.** Targets properties.

Name	RA (J2000)	Dec (J2000)	Distance (pc)	$m_R$ (mag)	SpT	Mass ( $M_\odot$ )	Age (Myr)	Ref.
PDS 70	14 08 10.26	−41 23 53.0	$113.4 \pm 0.5$	11.65	K7IVe	0.76	$5.4 \pm 1.0$	(1) (2)
J1850-3147	18 50 44.52	−31 47 50.2	$49.5 \pm 0.1$	10.61	K8Ve	0.87	–	(3) (4)
V1094 Sco	16 08 36.16	−39 23 04.2	$153 \pm 1$	12.42	K6	0.79	2–7	(5) (6)
HD 100546	11 33 24.94	−70 11 42.2	$110.0 \pm 0.6$	8.78	B9Vne	2.4	5–10	(7) (8)
HD 163296	17 56 21.42	−21 57 22.5	$101.5 \pm 1.2$	6.86	A1Vep	2.3	5–7	(9) (10) (11)

**Notes.** Distances are from [Gaia Collaboration \(2018\)](#). The  $R$ -band magnitude of HD 163296 was adopted from [Tannirkulam et al. \(2008\)](#). Unless otherwise noted,  $R$ -band magnitudes are taken from UCAC4 catalog ([Zacharias et al. 2012](#)). The full name of J1850-3147 is 2MASS J18504448-3147472, which is also known as CD-31 16041.

**References.** The references for spectral type, stellar mass, and stellar age are from (1) [Müller et al. \(2018\)](#); (2) [Pecaut & Mamajek \(2016\)](#); (3) [Lépine & Simon \(2009\)](#); (4) [Messina et al. \(2017\)](#); (5) [Alcalá et al. \(2017\)](#); (6) [van der Marel et al. \(2019\)](#); (7) [Guimarães et al. \(2006\)](#); (8) [van den Ancker et al. \(1997\)](#); (9) [Mora et al. \(2001\)](#); (10) [Montesinos et al. \(2009\)](#); (11) [Vioque et al. \(2018\)](#).

**Table 2.** Log of MUSE NFM observations.

Name	Prog. ID	Observing date	$t_{\text{DIT}} \times n_{\text{DIT}}^{(a)}$	On-source time (s)	Derotation (degree)	Frames per rot.
PDS 70	60.A-9100(K)	2018-06-20	$300 \times 6$	1800	90	2
J1850-3147	60.A-9482(A)	2018-09-06	$30 \times 6$	180	90	3
		2018-09-08 <sup>(b)</sup>	$30 \times 6$	180	90	3
V1094 Sco	0103.C-0399(A)	2019-04-14	$300 \times 8$	2400	90	2
HD 100546	0103.C-0399(A)	2019-04-28	$1 \times 4$	4	0	4
		2019-04-28	$4 \times 40$	160	45	8
HD 163296	0103.C-0399(A)	2019-04-29	$2 \times 4$	8	0	4
		2019-04-29	$8 \times 40$	320	45	8
		2019-04-29	$250 \times 2$	500	0	2

**Notes.** <sup>(a)</sup> $t_{\text{DIT}}$  is exposure time per image frame and  $n_{\text{DIT}}$  is the number of image frames. <sup>(b)</sup>We found some  $H\alpha$  residuals at 60 mas from the star center in the data observed on Sept. 8 after we analyzed the data obtained on two nights separately. The dataset is a 3 min snapshot and has a few bad spaxels in the region of the  $H\alpha$  residuals. Therefore, we excluded the data observed on the night of Sept. 8 to minimize the influence of possible instrumental artifacts.

be found in the MUSE pipeline user manual<sup>3</sup> and [Weilbacher et al. \(2020\)](#). The MUSE pipeline can be divided into two parts, the pre-processing calibration (`muse_scibasic`<sup>4</sup>) and the post-processing calibration (`muse_scipost`). Each part is responsible for correcting different instrumental effects and performing flux calibrations. During the pre-processing calibration dark field and illumination correction are optional and can be ignored, but we found significant improvement especially for bright targets ( $m_R < 9$  mag) after performing illumination correction. Therefore, we strongly recommend using the illumination correction for high-contrast imaging applications as in this work. After two stages of calibrations, all the exposures that were processed separately were combined (`muse_exp_combine`) and ready for science use. The final data product is a 3D cube with two spatial dimensions and one spectral dimension.

To remove the starlight halo we used the HRSDI technique, first described in [Haffert et al. \(2019\)](#). Based on spectral information from every spatial pixel, HRSDI removes the stellar component in two steps: the corrections for low-order spectral effects and high-order effects. A low-order effect with a spectral resolution on the order of  $R \approx 50$ –100 is induced by diffraction

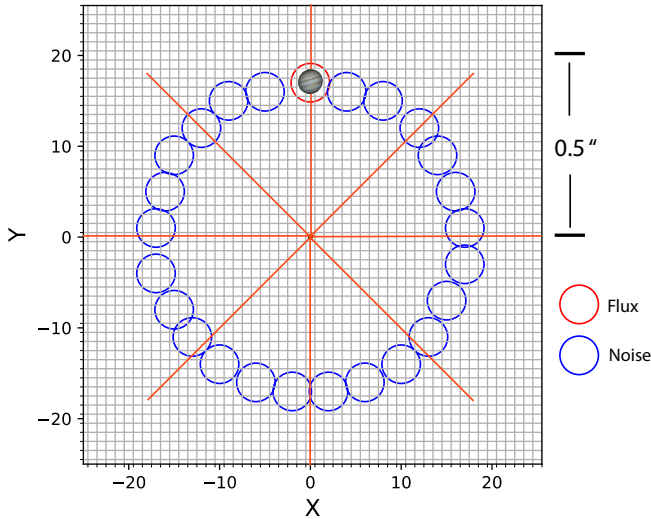
([Antichi et al. 2009](#)), causing a spatial pixel (spaxel) to capture different parts of the point spread function (PSF) as a function of wavelength. Such low-order effects can be corrected by doing continuum-normalization ([Haffert et al. 2019](#)). After the correction we can create the normalized reference spectrum by averaging over all spaxels and subsequently subtracting it from all normalized spaxels in order to remove the stellar component. To further remove the residuals caused by uncalibrated instrumental effects (called high-order effects), we used principal component analysis (PCA; [Soummer et al. 2012](#); [Amara & Quanz 2012](#)). Each PCA component corrects for different instrumental artifacts. For example, a small offset in the wavelength solution will lead to residuals with the shape of P Cygni profiles after the subtraction of the reference spectrum, which could be corrected by the first few PCA components. The residual effects of the telluric lines could also be corrected by the first few PCA components. The number of components to subtract is determined by maximizing the signal-to-noise ratio (S/N) of injected fake planets. In Sect. 4, we provide a modified HRSDI technique to minimize instrumental issues in MUSE by adjusting how we build the reference spectra.

### 3.2. Fake planet injection

To quantify the performance of any high-contrast imager, a standard approach is to inject fake planet signals and then recover

<sup>3</sup> <ftp://ftp.eso.org/pub/dfs/pipelines/instruments/muse/muse-pipeline-manual-2.6.2.pdf>

<sup>4</sup> In Sect. 3 the text in typewriter font refers to the command line in EsoRex.

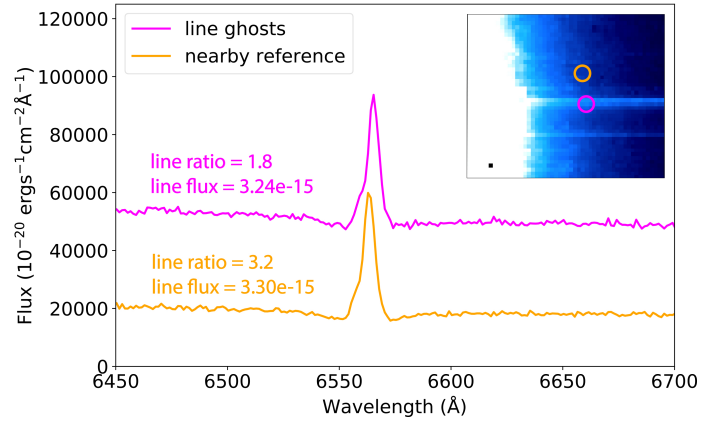


**Fig. 1.** Illustration of our fake planet injection. A fake planet (red circle) is injected in one of eight position angles (red lines) in a spacing of 1 spaxel. The blue circles represent the regions where the corresponding noise is measured.

them to estimate the sensitivity. As illustrated in Fig. 1, we used eight different position angles (PAs; separated by  $45^\circ$ ) where the artificial planet was injected with varying contrast levels. The radial dependence was estimated by injecting planets by increasing the radial separation in steps of 1 spaxel. The artificial planet was created based on a planet spectrum and the stellar PSF. The planet spectrum was taken as a single Gaussian line at a specific wavelength of our interest, with a full width at half maximum (FWHM) of  $\sim 135 \text{ km s}^{-1}$ . Such a line profile is covered by three spectral channels. For each spectral channel we estimated the planet PSF by taking the corresponding observed stellar PSF and normalized it by the total flux in the FoV. After shifting the PSF and scaling the contrast, only one planet was injected for each of the fake planet injection tests. It is possible to inject multiple planets at the same time to speed up the calculations, but we opted to inject a single planet at a time for simplicity.

The noise was estimated by performing aperture photometry in the spectral channels of our interest after processing the data with HRSOI. Figure 1 shows the regions where we injected a fake planet (red circle) and the regions we used to estimate the noise (blue circles). Inside each circle a square aperture of 3 by 3 spaxels ( $75 \times 75 \text{ mas}$ ) was adopted to match the resolution of the data, which is  $\sim 80 \text{ mas}$  at  $H\alpha$ . The adopted size of apertures depends on the actual FWHM of the dataset. Due to the low Strehl ratio ( $<20\%$ ), the aperture with a size of the FWHM has significant flux loss. This flux loss was corrected by dividing by the encircled energy in the aperture, which was measured on the star by taking the ratio of flux within the aperture and within  $1''$  radius. The flux correction due to the PSF subtraction was automatically done for fake planets because the injected flux was known when the recovered flux reached given S/N.

Different contrast values were chosen to derive the relation between the contrast and the S/N. The contrast ratio is defined as the ratio between the injected line flux of the planet compared to the stellar flux (continuum + line) at the same wavelength. After that, we derived a contrast curve at given S/N ( $5\sigma$ ). The contrast value was given in the unit of magnitudes. The uncertainty of the contrast curve was estimated by calculating the standard deviation of  $5\sigma$  contrasts obtained at four or eight PAs, depending on the separation bin.



**Fig. 2.** Illustration of the effect caused by line ghosts. The spectrum of the lines ghost is similar to the original spectrum with a lift of additional flux. The inset shows line ghosts in the zoomed-in image of HD 163296 at  $6564 \text{ \AA}$  and the regions (orange and magenta circles) where the corresponding spectra were extracted. The line ratio is defined as peak line flux over the local continuum. The line flux was measured by fitting simple Gaussian profile with continuum removed. The line flux is in units of  $\text{erg s}^{-1} \text{ cm}^{-2}$ .

## 4. Instrumental issues for strong $H\alpha$ emitter

### 4.1. Variation in $H\alpha$ line-to-continuum ratio.

MUSE was not designed for high-contrast imaging. During our analysis, we found that MUSE has an instrumental artifact that causes the stellar  $H\alpha$  line-to-continuum ratio to vary across the field. The residuals due to the instrumental effects can be stronger than those from photon noise, prohibiting us from reaching the photon noise detection limits at  $H\alpha$  (see Table 3 and Sect. 5.1 for the details about noise decomposition). Moreover, the objects with either high Strehl or with high  $H\alpha$  line-to-continuum ratios (see Table 4 for V1094 Sco, HD 163296, and HD 100546) have significant variations at  $H\alpha$  that exceed the noise at nearby wavelengths.

The variations show imprints of the IFU configuration, indicating an instrumental origin. For sources with strong stellar  $H\alpha$  emission, this variation can be larger than the  $H\alpha$  emission from a putative planet. As a result, the MUSE performance as a high-contrast imager is limited around such strong  $H\alpha$  emission line. Nevertheless, for other wavelengths without strong line emission of the star, MUSE can reach the photon noise detection limit (e.g., detecting stellar jets shown in Sect. 5.6).

The reasons for the non-uniform line-to-continuum ratios across the field are still unknown. One possible explanation is ghosts, identified as an instrumental artifact in Weilbacher et al. (2015). Hereafter we refer to the ghosts identified in Weilbacher et al. (2015) as line ghosts in order to distinguish them from the blob ghost we found in HD 163296 (see also Fig. A.1 and Appendix A for details).

In our data line-to-continuum ratios are much lower at the location of line ghosts compared to nearby spaxels where line ghosts are less prominent (see Fig. 2). The change in line-to-continuum ratio is similar to extra background light adding on to the original spectrum. Line ghosts are present in all of our targets, visible in the stellar images in the form of overbright strips at all wavelengths. From the perspective of high-contrast imaging, although line ghosts are very prominent at the IFU in which the PSF core is located, it should be noted that line ghosts exist across the entire field at different levels.



**Table 3.** Noise fitting results of the target sample.

Name	$c_{H\alpha}$	$\alpha_{H\alpha}$	$\sigma_{bg, H\alpha}$	$c_{\lambda}$	$\alpha_{\lambda}$	$\sigma_{bg, \lambda}$
PDS70	$1.90 \pm 0.56$	$0.50 \pm 0.02$	$116 \pm 12$	$2.37 \pm 0.55$	$0.48 \pm 0.02$	$128 \pm 7$
J1850-3147	$7.43 \pm 2.05$	$0.47 \pm 0.02$	$872 \pm 49$	$4.10 \pm 1.03$	$0.51 \pm 0.02$	$899 \pm 21$
V1094 Sco	$0.08 \pm 0.03$	$0.70 \pm 0.03$	$61 \pm 2$	$1.28 \pm 0.22$	$0.48 \pm 0.02$	$61 \pm 2$
V1094 Sco <sup>(a)</sup>	$0.56 \pm 0.17$	$0.60 \pm 0.3$	$96 \pm 5$	$1.26 \pm 0.21$	$0.48 \pm 0.02$	$61 \pm 2$
HD 100546	$0.07 \pm 0.06$	$0.70 \pm 0.05$	$2362 \pm 1747$	$7.06 \pm 1.70$	$0.50 \pm 0.02$	$4651 \pm 116$
HD 163296	$0.14 \pm 0.06$	$0.63 \pm 0.03$	$462 \pm 558$	$1.96 \pm 0.49$	$0.54 \pm 0.02$	$1856 \pm 43$

**Notes.** We adopt the same notations as in Eqs. (2) and (3), where photon noise  $\sigma_{\text{photon}}$  is written as  $(c_{\lambda} \cdot F_{\lambda}^{\alpha})$  and background noise is  $\sigma_{bg}$ . Unless otherwise noted, the data was processed with standard HRSDI described in Sect. 3.1. <sup>(a)</sup> The data was processed in modified HRSDI (see Sect. 4 for details).

**Table 4.** Targets properties.

Name	$H_{\alpha}$ (mag)	$F_{H\alpha}$ ( $10^{-13}$ erg s $^{-1}$ cm $^{-2}$ )	Ratio
PDS 70	16.71	$7.5 \pm 0.4$	1.60
J1850-3147	16.23	$9.1 \pm 0.8$	1.42
V1094 Sco	18.08	$6.3 \pm 0.1$	2.47
HD 100546	11.51	$4312.5 \pm 35.3$	5.63
HD 163296	12.13	$1799.0 \pm 43.0$	3.28

**Notes.** Columns 2 and 3 give the apparent stellar  $H\alpha$  flux observed by MUSE. We adopt the narrowband filter ( $N_{H\alpha}$ ) used in ZIMPOL to measure the stellar brightness at  $H\alpha$ , listed in Col. 2. We convert the flux unit to AB magnitude system using,  $m_{AB} \approx -2.5 \log_{10}(f_{\nu}/(3631 \text{ Jy}))$ . The  $F_{H\alpha}$  is line flux obtained from single Gaussian fitting. Column 4 lists the ratio of peak line flux to continuum flux. All the measurements are observed results without the correction for possible dust extinction from the disk.

Another explanation is the presence of spatio-spectral cross-talk in the spectral extraction step. We see that the effect is stronger when there is a strong point source, either spatially because of high Strehl or spectrally in the case of the high  $H\alpha$ -to-continuum ratio, in the data. When a strong point source is present the wings of the line spread function (LSF) can overflow into adjacent spectral and spatial bins. This can be calibrated if the LSFs during the observations are known. The MUSE data processing pipeline takes the LSF into account during the spectral extraction by using LSF profiles measured during the day, but due to non-common path errors the LSF can actually change during the observations, which may lead to small errors in the extracted spectra.

By analyzing the power in the  $H\alpha$  we found evidence in favor of spatio-spectral cross-talk as opposed to the line ghost explanation. For each spaxel we fitted the following profile,

$$\phi = b \left( 1 + a \exp \left[ (\lambda - \mu)^2 / \sigma^2 \right] \right). \quad (1)$$

Here  $b$  is the local continuum, and  $a$  is the line peak to continuum ratio. The line position,  $\mu$ , and width,  $\sigma$ , were fitted at the same time. The results of the fit for each spaxel can be seen in Fig. 3. There seems to be a strong correlation between the variations in the peak-to-continuum ratio and the line width. The correlation is expected if the LSF is broadening across the field. The total integrated power of the fitted Gaussian line is  $P = a \sqrt{\pi} \sigma^2$ . The total integrated power is shown in the third panel of Fig. 3. From this we can see that the integrated power is constant over the field, indicating that the LSF is varying

over the field instead of a ghost. The variation also seems to be aligned with the slicer orientation, which indicates to instrumental effects. If this is the origin of the instrumental cross-talk it would be very difficult to correct as a full diffractive model of the whole instrument would need to be modeled for every exposure. Future European Extremely Large Telescope instruments that also include image slicers, such as HARMONI and METIS, should take these effects into account for their sensitivity estimates of their high-contrast imaging modes.

#### 4.2. Modified HRSDI

The instrumental residuals of MUSE have variations on spatial scales comparable to the FWHM across the FoV, thus solving this issue is far beyond the scope of this paper. However, we attempt to minimize the effect during the removal of stellar emission. Below we propose modified HRSDI aiming to build better reference spectra to reduce the impact of the instrumental effects. In addition, we also recommend an extra wavelength calibration to further correct the wavelength offset without involving PCA.

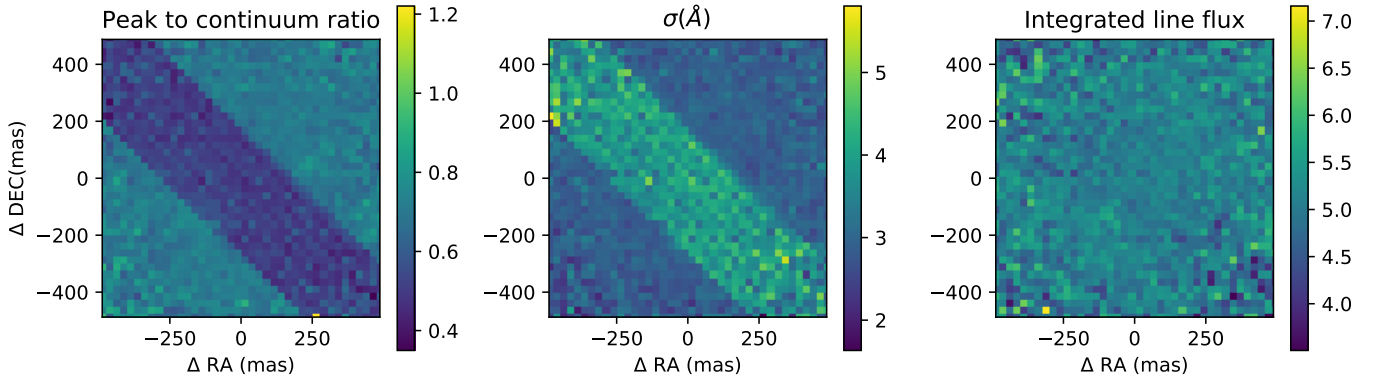
##### 4.2.1. Building reference spectra annularly

Modified HRSDI only adjusts the way of building the reference spectrum, compared with standard HRSDI. Inaccurate reference stellar spectra would lead to strong residuals after subtracting the reference spectrum from observed data at every spaxel. Although such residuals can be removed through the latter step with PCA, this might also reduce emission from potential planets at the same wavelength. In the worst case scenario the residuals have similar spectral features to planets, and aggressive PCA could remove the planet emission. Nevertheless, the aggressive PCA can be avoided if the reference spectrum matches the observed stellar spectrum for every spatial pixel as accurately as possible.

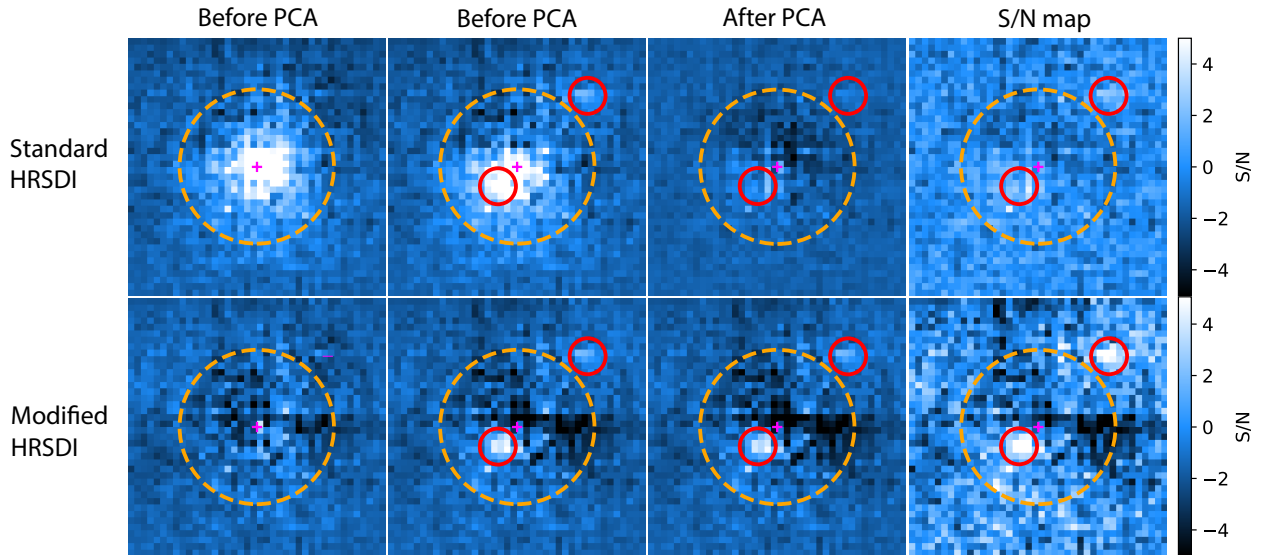
To build reference spectra that better match observed data, we propose to build the reference spectrum annularly, instead of only building one reference spectrum as in standard HRSDI. The assumption is that the line-to-continuum ratios are relatively uniform at the same separations. The size of the annuli was determined by minimizing the residuals after the subtraction, but are still large enough to reduce the influence of potential planet spectra on reference spectra.

##### 4.2.2. Extra wavelength calibration

The temperature difference between nighttime science observations and daily calibrations will cause offsets in the wavelength solution. Without considering the temperature difference (i.e., exclusively used the arc frames from daily calibrations), the



**Fig. 3.** One of most affected datacubes from the observations of PDS70. The broad band is aligned with the slicer orientation if transformed to  $x$ - $y$  instrument coordinates. *Left figure:* peak-to-continuum ratio. *Middle figure:* measured line width. There is a strong negative correlation between the line width and the peak to continuum ratio. *Right figure:* total line integrated flux, which is constant over the field. This indicates that the LSF is varying over the field.



**Fig. 4.** Comparison  $H\alpha$  images of V1094 Sco processed in standard HRSDI (*top panel*) and modified HRSDI (*bottom panel*). *First three columns:* same color scales. *Column 1:* residual images after the low-order correction in HRSDI. *Column 2:* same image as Col. 1, but with two injected fake planets at the radius of  $0.1''$  and  $0.35''$  (red circles). *Column 3:* residual images after the high-order correction (PCA). *Column 4:* corresponding S/N maps. The orange dashed circle is of radius  $r = 0.3''$ , and the magenta cross indicates the star center. The FWHM of the V1094 Sco dataset is  $\sim 150$  mas (6 spaxels across). Compared with standard HRSDI, modified HRSDI can effectively remove stellar emission after low-order correction and recover most of planet emission down to  $0.1''$ .

accuracy of the wavelength calibration is not greater than  $0.4 \text{ \AA}$ . Two sky lines ( $5577.339$  and  $6300.304 \text{ \AA}$ ) obtained with night-time science exposures are used to correct for such offsets caused by the temperature difference in the instrument. However, the accurate measurement of sky lines requires a sufficient integration time. For integration times longer than  $100 \text{ s}$ , the accuracy of the wavelength calibration can be improved to about  $\sim 0.1 \text{ \AA}$ <sup>5</sup>.

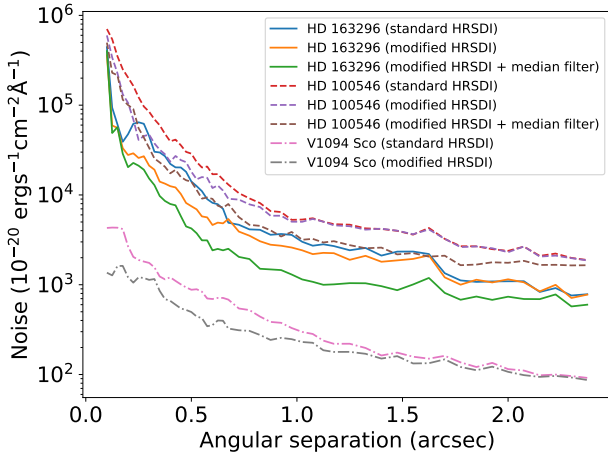
The offset of the wavelength calibration can be corrected by the first few PCA components. However, as shown in Fig. 4, PCA will also reduce planet emission in standard HRSDI if the data has instrumental issues. Performing an additional wavelength calibration is useful if we aim to reduce the known instrument effect without performing PCA. By shifting the observed spectra with respect to the reference spectrum, an offset map of wavelength calibration can be calculated by performing the

chi-squared test at every spaxel. The stellar  $H\alpha$  emission line was used to find the remaining offsets in the wavelength solution. In the case of V1094 Sco, which has long integration time ( $300 \text{ s}$ ), the average offset is around  $0.1 \text{ \AA}$  or less at the center high S/N region. Instead, HD 163296 was observed with short integration time ( $< 10 \text{ s}$ ), and the offsets can be larger than  $0.3 \text{ \AA}$ .

#### 4.3. Application: V1094 Sco

The MUSE data of V1094 Sco has non-uniform line-to-continuum ratios across the field. Standard HRSDI leads to strong residuals after low-order correction and aggressive PCA that reduces  $\sim 70\%$  to  $100\%$  emission from the injected planet (see top panel in Fig. 4), depending on the injected wavelengths and locations. These residuals are not due to the offset of wavelength calibration, but are caused by the variation in the line-to-continuum ratio. Therefore, we adopted the modified HRSDI, which builds the normalized reference spectra

<sup>5</sup> <https://www.eso.org/sci/facilities/paranal/instruments/muse/doc.html>



**Fig. 5.** Noise in residual images as a function of angular separations. Compared to standard HRSDI, modified HRSDI built multiple reference spectra annularly (see Sect. 4.2.1 for details) and applied extra wavelength calibration (see Sect. 4.2.2 for details). Additional median filters were applied on the residual images processed by modified HRSDI. No PCA was used to avoid reducing planet emission caused by aggressive PCA.

annularly to minimize the instrumental effects, and applied the extra wavelength calibration described in Sect. 4.2.2.

In the application of V1094 Sco, modified HRSDI can minimize instrumental issues and recover injected planet emission down to  $0.1''$ . Figure 4 shows comparison images of V1094 Sco being processed in standard HRSDI (top panel) and modified HRSDI (bottom panel). After the low-order correction that removes broadband continuum emission, standard HRSDI failed to remove part of stellar emission within a radius of  $0.3''$  due to the variation in the line-to-continuum ratio. On the contrary, modified HRSDI can effectively remove stellar emission. To better characterize the performance of two methods, two identical fake planets were injected at each location, indicated by the red circles in Fig. 4. Both methods can recover the injected planet at a radius of  $0.35''$  if no PCA is used. The strong residual left by standard HRSDI results in aggressive PCA, which will significantly reduce planet emission. As for modified HRSDI, PCA did not remove significant contributions since the reference spectra and observed spectra better matched. Figure 5 shows the improvement in modified HRSDI compared to the standard HRSDI in terms of better removing the noise by a factor of 2–3 at separations less than  $0.5''$ .

#### 4.4. The case for high line ratios: HD 100546 and HD 163296

Figure 6 shows the residual images of HD 100546 and HD 163296 at  $H\alpha$  processed by standard and modified HRSDI. No PCA was used during the post-processing. HD 100546 and HD 163296 have very high  $H\alpha$  line-to-continuum ratios and strong continuum emission (see Table 4). Both targets show strong variations of line-to-continuum ratio across the field, resulting in the strong stellar residuals and strips with  $45^\circ$  angular separations associated with  $45^\circ$  derotation. To remove the strip we applied the median filter with the width of 1 pixel and length of 50 pixels along the strip direction on the residual image after the process of modified HRSDI (see Col. 3 in Fig. 6). The quantitative improvement of each process can be found in Fig. 5. Applying the median filter can effectively remove the strips and reduce the noise at separations larger than  $0.5''$ , while

less effectively at the inner region ( $<0.3''$ ) where the variations become much larger.

Even with modified HRSDI there are still strong residuals due to the instrumental issues at the inner region ( $<0.5''$ ). Nevertheless, modified HRSDI already removed more stellar emission than standard HRSDI, as in the case of V1094 Sco in Fig. 4. Further investigation is needed to reduce the instrumental issues either via data reduction or through instrumental perspective.

## 5. Point source sensitivity of MUSE

### 5.1. Noise components in MUSE

In general, the noise in the high-contrast image can be written as the combination of several noise components:

$$\sigma = \sqrt{\sigma_{\text{photon}}^2 + \sigma_{\text{bg}}^2 + \dots} \quad (2)$$

Here the photon noise  $\sigma_{\text{photon}} = (c_\lambda \cdot F_\lambda^\alpha)$  with coefficient  $c_\lambda$ , exponent  $\alpha$ , and stellar flux  $F$ . The background noise  $\sigma_{\text{bg}}$  consists of the noise components that remains constant per spectral channel in the entire FoV. All three parameters,  $c$ ,  $\alpha$ , and  $\sigma_{\text{bg}}$ , are wavelength dependent.

To measure the noise and stellar flux at multiple wavelengths, we first create filters around the  $H\alpha$ , from 6510 to 6825 Å (see Fig. 7). The bandwidth of each filter is  $3 \times 1.25$  Å, which corresponds to the FWHM of the  $H\alpha$  line. In each filter, we measure the noise and stellar flux by performing the aperture photometry described in Sect. 3.2 without injecting any planets. The filters were placed with the interval of 3.75 Å. We exclude the filters very close to  $H\alpha$  and absorption features manually by visual inspection to only measure continuum emission of the host star.

The relations between stellar flux and image noise (after HRSDI) at multiple wavelengths are presented in Fig. 8. To decompose the noise, we perform the fitting with only the photon noise and background noise, with free parameters of  $c_\lambda$ ,  $\alpha$ , and  $\sigma_{\text{bg}}$ , as in Eq. (2).

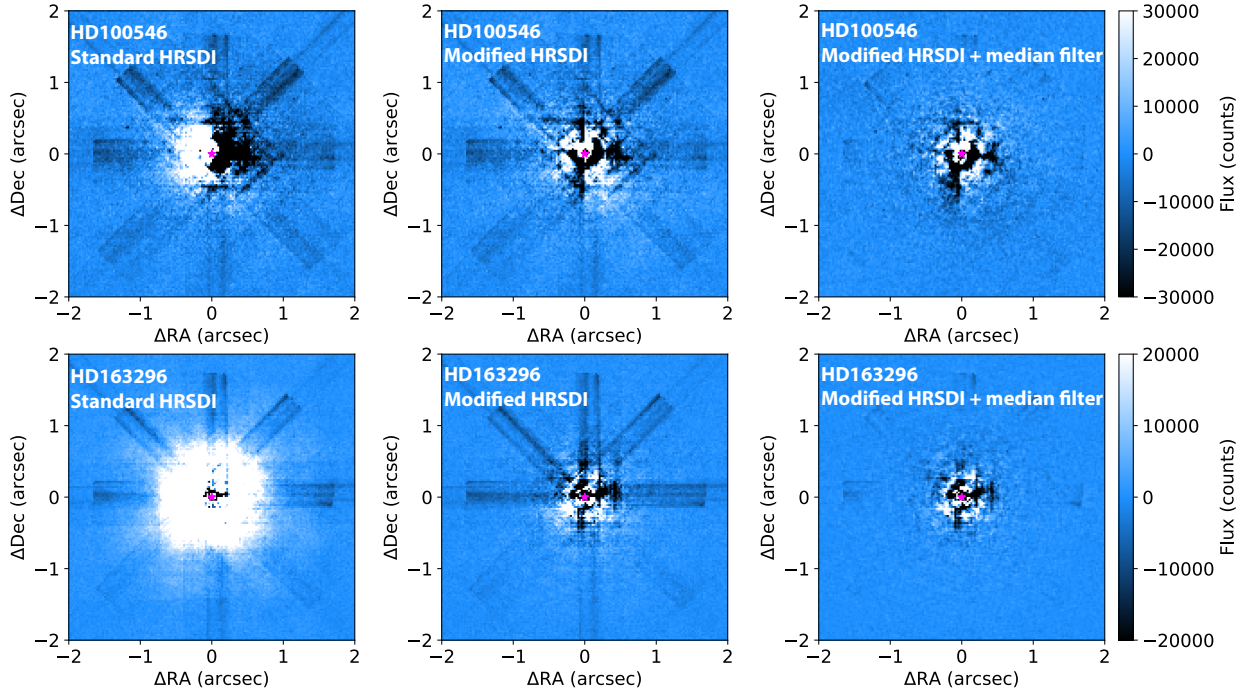
In the case of J1850-3147 we found the exponent  $\alpha$  to be  $0.47 \pm 0.02$  and  $0.51 \pm 0.02$  for  $H\alpha$  only and for other wavelengths except  $H\alpha$ , respectively. Both are very close to the ideal photon noise. The uncertainty of the fitting result is estimated from 1000 times bootstrap resampling. Since the stellar flux follows the PSF profile as a function of radial separations, the photon noise also follows the PSF profile. The result of fitting two noise components suggests that MUSE is photon noise ( $\sigma_{\text{photon}}$ ) dominated at small separations ( $<0.6''$ ) and background noise dominated at large separations ( $>1.2''$ ). The size of the region where dominated by photon noise is determined by the target brightness and background noise. In our target sample, MUSE can be considered photon noise dominant up to the separation that ranges from  $0.5''$  to  $1.5''$ .

We present the results of two-component fitting for all targets in Table 3. The noise in the residual images of J1850-3147 and PDS 70 is very close to the theoretical limit of ideal photon noise after the process of standard HRSDI described in Sect. 3.1. However, for the rest of the targets the photon noise limit can only be achieved outside the spectral window of stellar  $H\alpha$  emission (see Table 3). It is caused by instrumental issues in MUSE, which are described in Sect. 4.

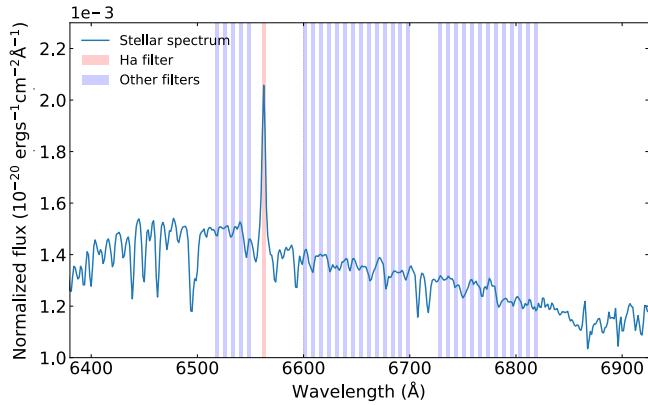
### 5.2. Measuring the noise at small angular separations

At small angular separations only a few statistically independent apertures can be made. This makes it difficult to get an accurate





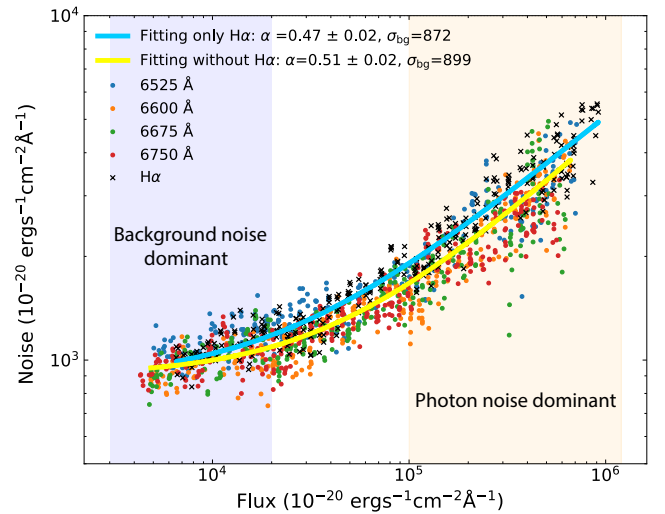
**Fig. 6.** Residual images of HD 100546 and HD 163296 at  $H\alpha$  processed by standard and modified HRSDI. No PCA was used during the post-processing. Additional median filters were applied on the residual images after the process of modified HRSDI to remove the strips due to the instrumental issues, which are shown in the *third column*.



**Fig. 7.** Stellar spectrum of J1850-3147 centered around  $H\alpha$ . Colored stripes indicate the filters adopted to measure the noise and stellar flux at corresponding wavelengths. Each filter contains three spectral channels of 3.75 Å.

estimate of the noise. We can solve the problem of small sample statistics by increasing the size of our sample. In other words, the problem will be solved if we can make enough noise measurements. However, this is impossible for high-contrast imaging done with classical (narrow- or broadband) imagers. On the other hand, medium-resolution IFS provides alternative solutions by (i) measuring the noise in the spectral direction or (ii) measuring the noise in the spatial direction at multiple wavelengths. It should be noted that methods (i) and (ii) reach the same answer if the PSF is circular symmetric because MUSE can reach the photon noise limit at small separations.

At small separations, the noise in Eq (2) can be simplified as photon noise dominant  $\sigma_\lambda = (c_\lambda \cdot F_\lambda^\alpha)$ . Hence, we can compute the noise at  $H\alpha$  based on the noise we measured at multiple



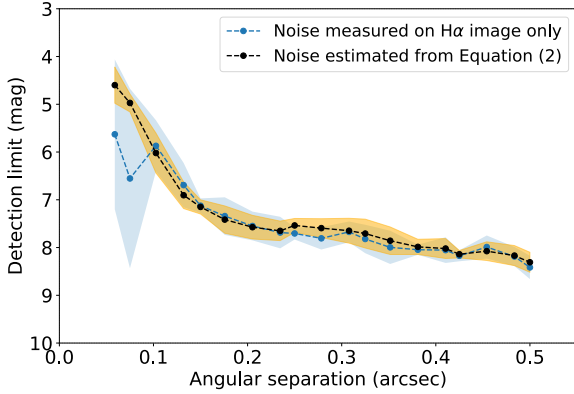
**Fig. 8.** Noise curves of J1850-3147 measured from the residual image at multiple wavelengths as a function of stellar flux obtained before performing HRSDI. Fittings of two noise components are shown as cyan (fitting only with  $H\alpha$  data) and yellow lines (fitting without  $H\alpha$  data). The noise curves are close to the theoretical limit of photon noise at small separations ( $<0.6''$ ; yellow shaded region). The fitting results are presented in Table 3.

wavelengths at the same separation as

$$\sigma_{H\alpha} = \sigma_\lambda \left( \frac{c_{H\alpha} \cdot F_{H\alpha}^{\alpha_2}}{c_\lambda \cdot F_\lambda^{\alpha_1}} \right), \quad (3)$$

where the coefficient  $c$  and exponent  $\alpha$  at corresponding wavelength are obtained from the result of two noise components fitting. It is worth noting that Eq. (3) can be used to estimate the noise at any wavelength, not just at  $H\alpha$ .





**Fig. 9.** Contrast curves for J1850-3147. The colored shaded regions around each curve represent the standard deviation of the contrasts obtained at eight PAs.

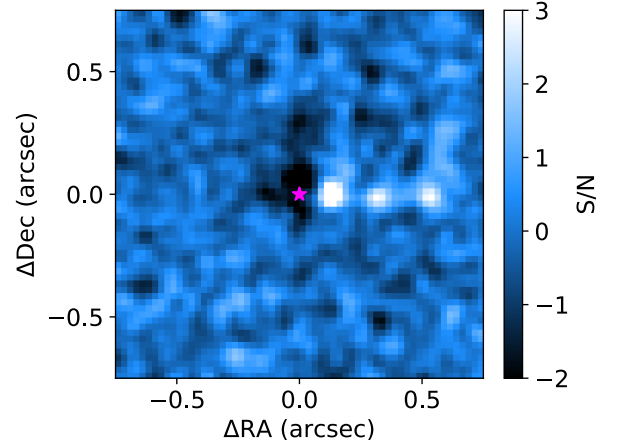
There are approximately 6, 12, and 18 resolution elements at  $1 \lambda/D$ ,  $2 \lambda/D$ , and  $3 \lambda/D$ , respectively. In practice, at least 20 independent measurements of the noise are recommended to avoid the penalty induced by small sample statistics (Mawet et al. 2014). It is impossible to make 20 noise measurements at  $<3 \lambda/D$  on the  $H\alpha$  image. However, even with only one measurement at one wavelength, we can easily find more than 20 wavelengths to perform the noise measurement and derive the correspond noise at  $H\alpha$  using Eq. (3).

At small separations ( $<3 \lambda/D$ ), using Eq. (3) can provide direct measurement of the noise to avoid the small sample statistics problem. At larger separations ( $>3 \lambda/D$ ), both Eq. (3) and the classical approach of measuring the noise in the same image as the detection can give accurate estimate of the noise, assuming the photon noise dominant (see Fig. 9). However, the presence of extended structures (such as stellar jets) may reduce the empty regions where we can measure the noise. In this case, Eq. (3) will become useful since the atomic jets are only present at a few spectral channels. Throughout the paper Eq. (3) was used to estimate the noise when building the contrast curve on images with photon-noise dominant residuals.

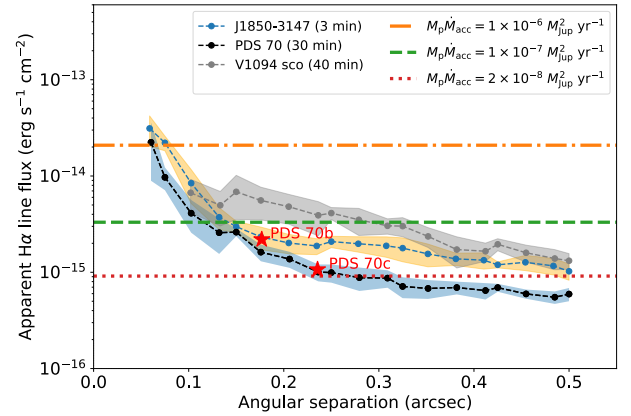
### 5.3. Contrast curve

Figure 9 shows two  $H\alpha$  contrast curves for J1850-3147 at  $5\sigma$  confidence level. The black curve is created based on the noise estimated from Eq. (3). As a comparison, the blue curve is obtained with noise measured on  $H\alpha$  image only, which is affected by small sample statistics at  $<0.1''$ . The colored shaded region indicates the uncertainty of the contrast curve.

No planet is found in J1850-3147. The 3 min MUSE observation is sensitive to objects 7 mag fainter than the host star at the same wavelength at a separation of 150 mas. Overall, Eq. (3) provides more robust noise estimations as it has consistent results with direct measurement on  $H\alpha$  image, but with much smaller scatter at small separations ( $<0.15''$ ). The separation of  $0.15''$  equals two resolution elements of MUSE<sup>6</sup>. For the visual inspection of Eq. (3), we injected the fake planet at three different locations ( $r=0.1''$ ,  $0.3''$ , and  $0.5''$ ) at  $5\sigma$  confidence level. All three injected planets in Fig. 10 are clearly visible, as suggested by the contrast curve.



**Fig. 10.** S/N map of J1850-3147 at  $H\alpha$  after the process of HRSOI is shown. For visual inspection of the contrast curve derived from Eq. (3), three  $5\sigma$  fake planets were injected at distances of  $0.1''$ ,  $0.3''$ , and  $0.5''$ . All three fake planets are clearly visible. For display purposes, the image was smoothed with a Gaussian kernel of 2 pixels in radius. The magenta star indicates the star center.



**Fig. 11.** Detection limits in apparent  $H\alpha$  line flux at  $5\sigma$  confidence levels. The colored shaded regions around each curve represent the standard deviation of the contrasts obtained at eight PAs. PDS 70 b and c from Haffert et al. (2019) are shown as red stars. The three horizontal lines show predicted  $H\alpha$  emission estimated from Gullbring et al. (1998) and Rigliaco et al. (2012). The detailed estimation can be found in Sect. 6.2

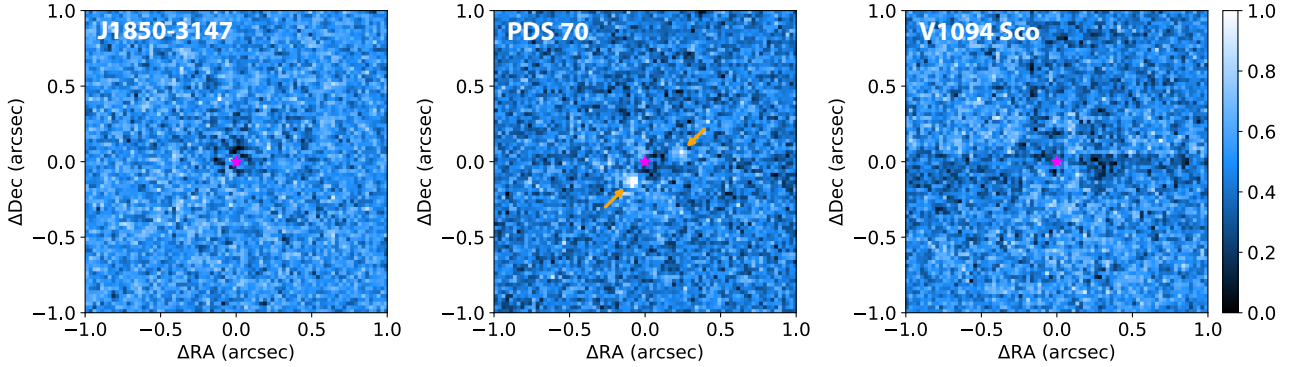
### 5.4. Detection limits in $H\alpha$ line flux

To better illustrate the performance of MUSE, we present the detection limit in apparent flux at  $5\sigma$  confidence level (see Fig. 11). The colored shaded region indicates the uncertainty of the detection limit. Due to the instrumental issues in MUSE (described in Sect. 4), we could only apply HRSOI in three out of five targets to perform high-contrast imaging. The  $H\alpha$  detection maps<sup>7</sup> for these targets are shown in Fig. 12.

In general, a 30 min MUSE observation can detect apparent  $H\alpha$  line flux down to  $10^{-14}$  and  $10^{-15}$  erg s<sup>-1</sup> cm<sup>-2</sup> at  $0.075''$  and  $0.25''$ , respectively. Since MUSE can be photon noise dominated ( $<1''$ ), we expect the detection limit to go down with the square root of integration time, which is supported by datasets with different integration times (see Fig. 11). Below we introduce the detection limit of each target.

<sup>6</sup> The resolution element of MUSE is defined by FWHM, not  $\lambda/D$ , because currently the AO system installed on VLT cannot reach the diffraction limit at optical wavelengths.

<sup>7</sup> The detection map is essentially the S/N map with the scale linearly shifted to an arbitrary unit from 0 to 1.



**Fig. 12.**  $H\alpha$  detection maps after the removal of starlight. PDS 70 b and c are indicated by the yellow arrows. The magenta star gives the position of the star.

**J1850-3147.** The detection limit of J1850-3147 is indicated by the blue curve with yellow shaded regions. Even with 3 min integration time, MUSE can already reach the  $H\alpha$  line flux of  $3 \times 10^{-15} \text{ erg s}^{-1} \text{ cm}^{-2}$  at 150 mas and  $3 \times 10^{-14} \text{ erg s}^{-1} \text{ cm}^{-2}$  at 50 mas with  $5\sigma$  confidence level. In the case of J1850-3147, we can detect PDS 70 b (if present) at around  $5\sigma$  confidence level with 3 min observations (see Fig. 11).

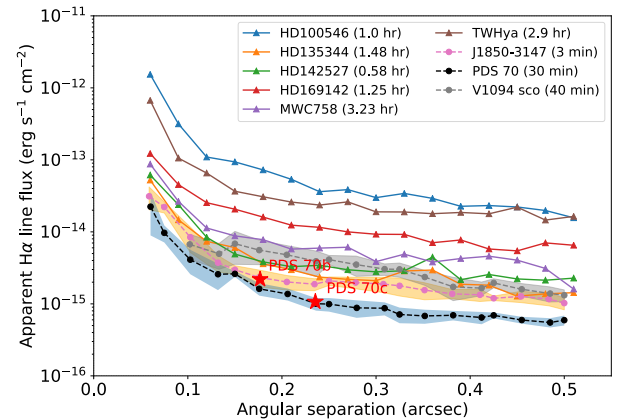
**PDS 70.** The detection limit of PDS 70 data used in Haffert et al. (2019) is represented by the black curve in Fig. 11. The integration time of this data is 30 min. The regions where two planets were located were excluded during the analysis of fake planet injection. Except for PDS 70 b and c, we do not find other planets with  $5\sigma$  upper limit of  $H\alpha$  line flux of  $2.5 \times 10^{-15} \text{ erg s}^{-1} \text{ cm}^{-2}$  at 150 mas and  $2 \times 10^{-14} \text{ erg s}^{-1} \text{ cm}^{-2}$  at 50 mas. Overall, the detection limit of PDS 70 is two to three times deeper than that of J1850-3147, which is consistent with the expected S/N gain of  $\sqrt{(30 \text{ min})/(3 \text{ min})}$ .

**V1094 Sco.** V1094 Sco was significantly affected by instrumental issues in MUSE (see Sect. 4). However, the V1094 Sco data can be processed with modified HRSDI by building the normalized reference spectra annularly (see Sect. 4.2).

The detection limit in apparent  $H\alpha$  line flux for V1094 Sco is shown in Fig. 11. At the location of the gap 1 ( $\sim 0.5''$ ) identified by van Terwisga et al. (2018), we do not find any planets. The MUSE observation yields a  $5\sigma$  upper limit in  $H\alpha$  line flux of about  $1.3 \times 10^{-15} \text{ erg s}^{-1} \text{ cm}^{-2}$ . Due to the poor seeing conditions during the observations, the FWHM of V1094 Sco is about 150 mas, which is roughly two times larger than that of J1850-3147 and PDS 70. Therefore, the detection limit curve is flattened compared with the other two targets. Although we expect the detection limit to go down with the square root of integration time, the instrumental issues and the poor atmospheric conditions performance will also limit the performance of MUSE. As a result, the detection limits for V1094 Sco and J1850-3147 are similar.

### 5.5. Comparison with SPHERE/ZIMPOL

In Fig. 13, we present the comparison between MUSE and SPHERE/ZIMPOL in terms of the detection limit in apparent  $H\alpha$  line flux. The ZIMPOL results are taken from Cugno et al. (2019). In general, the MUSE detection limit in apparent  $H\alpha$  line flux is a factor of 5 times deeper than the detection limit of ZIMPOL due to the gain in resolving power. More importantly, these detection limits were achieved with 3 to 40 min



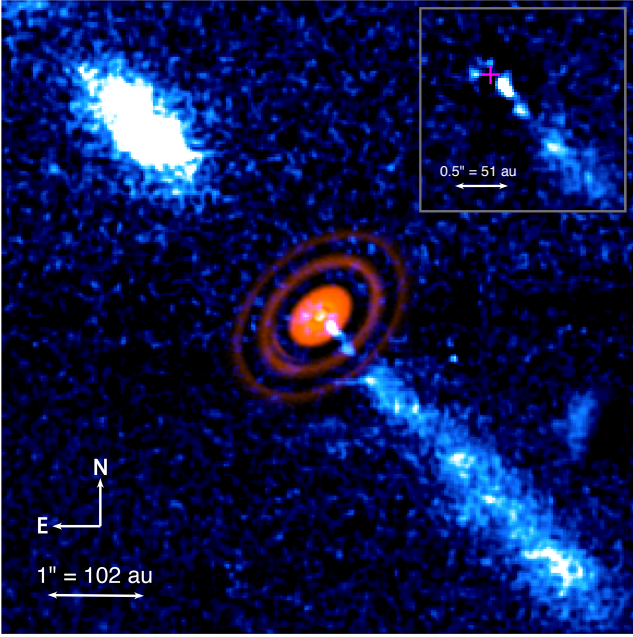
**Fig. 13.** Detection limits ( $5\sigma$ ) in apparent flux obtained with MUSE (dashed lines with colored shaded regions), together with the detection limits of ZIMPOL (solid lines with triangle markers; Cugno et al. 2019). The total integration time is listed after the target name. PDS 70 b and c from Haffert et al. (2019) is also shown.

of MUSE observations. Meanwhile, the total integration times used in Cugno et al. (2019) were ranging from 40 min to 3 h, as labeled in Fig. 13. In other words, MUSE can reach higher S/N than ZIMPOL in a shorter integration time. Moreover, without the laser-guided AO system, it is very difficult for ZIMPOL to observe faint targets such as PDS 70 and V1094 Sco. We discuss the potential reasons that cause this improvement in Sect. 6.1.

### 5.6. Mapping stellar jets with MUSE

Figure 14 presents a composite image of HD 163296 showing two jets from this work and the disk detected by ALMA at 1.2 mm (Andrews et al. 2018; Isella et al. 2018). The northeast (NE) jet is redshifted and contains one elongated knot, traced by the [S II]  $\lambda 673 \text{ nm}$  line. The southwest (SW) jet is blueshifted and has a continuous stream with a length of  $\sim 450 \text{ au}$ , traced by the  $H\alpha$  line. Different atomic lines were detected in each jet and show consistent morphology. The asymmetry of the two jets observed by MUSE is similar to the VLT/X-shooter observation at separations larger than  $2''$ , which show knots and a relatively continuous stream on the redshifted and blueshifted jet, respectively (Ellerbroek et al. 2014).

The jets were detected in MUSE observations with exposure setting of 8 and 250 s and with multiple position angles (see Table 2). To make the composite image in Fig. 14, the inner saturated region in the long exposure dataset was masked and



**Fig. 14.** Composite image of HD 163296 shows two jets detected by MUSE, superimposed to the disk detected by ALMA at 1.2 mm (Andrews et al. 2018; Isella et al. 2018). The NE jet and SW jet are traced by [SII] 673 nm and H $\alpha$  lines, respectively, and are smoothed with a Gaussian kernel of 2 pixels in radius. The arc-like structure near the SW jet is the blob ghost caused by the instrument (see Appendix A). The inset box of H $\alpha$  image shows the inner most region. The magenta cross marks the stellar position.

replaced with short exposure dataset that only has minor saturation in the most central few spaxels. Without the coronagraph, MUSE is able to probe the jets down to 1 FWHM of  $\sim 75$  mas, corresponding to 8 au at the target distance of 101.5 pc. Due to the minor saturation in the short exposure (8 s) dataset, anything within 100 mas should be treated cautiously.

The inset in Fig. 14 shows the jet image zoomed in at the center. The resolution of MUSE is about 8 au at H $\alpha$ . There are three bright spots on top of the faint stream, indicating that there is a potential dynamical eruption history. Detailed analysis of the stellar jets in HD 163296 will be presented in future work.

## 6. Discussion

### 6.1. Reasons for the improvement

There are multiple reasons that account for the better performance of MUSE compared to SPHERE/ZIMPOL. Even though they are different instruments requiring different post-processing techniques, we can still reach a quantitative reason and some qualitative expansions.

The primary reason that we can quantify is that MUSE has a spectral resolution of  $1.25 \text{ \AA}$ , while ZIMPOL used much wider narrow- and broadband filters. For photon-noise dominant residuals, the S/N scales with the square root of the spectral resolving power and the telescope diameter. In this work we combine three spectral channels (total  $3.75 \text{ \AA}$ ) to match the line width of injected fake planets. Cugno et al. (2019) used a broadband H $\alpha$  filter (B\_Ha) with the width of  $5.5 \text{ nm}$  and a continuum filter (Cnt\_Ha) centered at  $644.9 \text{ nm}$ <sup>8</sup>. With equal mirror diameter,

<sup>8</sup> The detail of central wavelengths and filter widths can be found in Table 6 of Schmid et al. (2018)

the S/N of MUSE compared to ZIMPOL scales approximately as  $\sqrt{(55 \text{ \AA})/(3.75 \text{ \AA})} \sim 4$  for using the B\_Ha filter, assuming ZIMPOL is also photon noise dominant. In principle, using a narrowband filter could improve the S/N of detecting H $\alpha$  line emission as it includes less noise from continuum emission. However, the assumption of photon noise dominant is not always true for ZIMPOL. At the separations  $>0.3''$ , the data from the narrowband filter (N\_Ha) in ZIMPOL can be read-noise limited. As suggested in Cugno et al. (2019), further studies are needed to determine the relation between longer integration time and detection limit of ZIMPOL.

The secondary reason is the lack of detailed spectral information of the primary star. It can lead to oversubtraction when removing continuum emission using the Cnt\_Ha filter. For A/B type stellar spectra, the spectral indices<sup>9</sup> are usually greater than 1 around H $\alpha$ . As a result, the oversubtracted flux has to be compensated by line emission. Three out of four targets in Cugno et al. (2019) that have high limits of line flux are A/B type stars, and the integration times for these targets are relatively long, ranging from 1 to 3 h.

Another reason is how the contrast analysis was performed. Cugno et al. (2019) created the fake planet with the stellar image obtained by filters. Although using the stellar PSF as the planet PSF is a common approach, using filters can only scale the flux of the stellar PSF that contains both continuum and line emission. As for MUSE, we used a simple Gaussian line profile as the injected planet spectrum, which only has emission at H $\alpha$ , as mentioned in Sect. 3.2. In this way we can only inject line emission and determine the detection limit in line flux more accurately.

SPHERE is designed to image bright stars (e.g.,  $m_R < 10$  mag; Beuzit et al. 2019). Its Strehl ratio drops quickly from 60% at  $m_R < 9$  mag to 10% at  $m_R = 12$  mag. Without the laser-guided AO system, it is very difficult for SPHERE to observe faint stars and still achieve a high Strehl ratio. A low Strehl ratio could explain the high detection limit of TW Hya, which is the faintest target ( $m_R = 10.43$ ) with the worst seeing ( $\sim 1.3''$ ) conditions in Cugno et al. (2019).

### 6.2. Constraining the planet mass and the mass accretion rate

H $\alpha$  emission originates from accretion activity. The line flux and the line width can be used to estimate the mass accretion rate. Currently there are two methods commonly used to estimate the mass accretion rate of young stars, which we use to estimate the mass accretion for planets.

**Line width.** The mass accretion rate can be computed from the line width as

$$\log(\dot{M}_{\text{acc}}) = -12.89(\pm 0.3) + 9.7(\pm 0.7) \times 10^{-3} \text{ H}\alpha(10\%), \quad (4)$$

where H $\alpha(10\%)$  is the 10% width of the H $\alpha$  line in  $\text{km s}^{-1}$  and the unit of  $\dot{M}_{\text{acc}}$  is  $M_{\odot} \text{ yr}^{-1}$  (Natta et al. 2004).

**Line luminosity.** The mass accretion rate can also be converted from the accretion luminosity, which has the empirical relation (Herczeg & Hillenbrand 2008; Fang et al. 2009; Rigliaco et al. 2012)

$$\log(L_{\text{acc}}) = b + a \log(L_{\text{H}\alpha}), \quad (5)$$

<sup>9</sup> The spectral index  $\alpha$  is defined as  $F_{\nu} \propto \nu^{\alpha}$ .



where  $L_{H\alpha}$  is the line luminosity. We adopted  $a$  and  $b$  as 1.25 and 2.27 (Fang et al. 2009), respectively. The mass accretion rate is

$$\dot{M}_{\text{acc}} = \left(1 - \frac{R_*}{R_{\text{in}}}\right)^{-1} \frac{L_{\text{acc}} R_*}{GM_*}, \quad (6)$$

where  $R_*$  and  $M_*$  are the planet radius and its mass, and  $R_{\text{in}}$  is the inner radius of accretion disk (Gullbring et al. 1998).

Both methods were explored by fitting the data of low-mass stars or brown dwarfs (Natta et al. 2004; Fang et al. 2009), but not planets. With the actual data we obtained with MUSE, we can start to make constraints on those accretion models on planetary scales (e.g., Thanathibodee et al. 2019). Throughout this paper we follow Gullbring et al. (1998) to estimate the line luminosity with given planet mass and  $\dot{M}_{\text{acc}}$ .

In Fig. 11 we present the predicted apparent  $H\alpha$  flux (horizontal lines) with planet mass of  $1 M_{\text{Jup}}$  and multiple mass accretion rates  $\dot{M}_{\text{acc}}$ , assuming the host star at 140 pc (the distance to nearby star forming regions) without the disk extinction. In general, MUSE can detect Jupiter-mass planets with a very low mass-accretion rate (e.g.,  $2 \times 10^{-8} M_{\text{Jup}} \text{ yr}^{-1}$ ) in a 30 min integration time (see Fig. 11), which is impossible for any other current instrument. With such sensitivity, non-detections can also provide meaningful upper limits that are  $\sim 5$  times deeper than current results, which is important for the future study of accretion variability and provides a constraint on the planet mass.

Based on MUSE measurements of  $H\alpha$  line intensities and  $H\alpha$  line widths, we can decouple the planet mass and the mass accretion rate estimated by Eqs. (4) and (6), with minor assumptions on the planet radius and the inner radius of circumplanetary disks (CPD). It is very powerful that a single MUSE observation can provide estimations of the planet mass and the mass accretion rate, although the uncertainty of the mass accretion rate could be as large as one order of magnitude due to the uncertainty of accretion models and limited spectral resolution of MUSE (Thanathibodee et al. 2019). Nevertheless, recent radiation-hydrodynamic models made by Aoyama & Ikoma (2019) demonstrated that combining  $H\alpha$  line widths and line intensities could narrow down the ranges of the planet mass and the accretion rate significantly. Furthermore, adding information from other lines, such as  $H\beta$ , can put an even better constraint on the accretion properties (Hashimoto et al. 2020).

### 6.3. Observation strategies for target selection and detecting planetary $H\beta$ line

Young stars ( $<10$  Myr) with weak  $H\alpha$  line emission and faint  $R$  band brightnesses are suitable targets for future MUSE survey of protoplanets. This is due to two technical reasons. On the one hand, MUSE has instrumental issues that are strongly affected by the  $H\alpha$  line-to-continuum ratio, as mentioned in Sect. 4. Hence, choosing weak  $H\alpha$  emitters can avoid being limited by systematic noise caused by instrumental issues. Nevertheless, targets with a medium  $H\alpha$  line-to-continuum ratio can still be processed with modified HRSDI. On the other hand, MUSE is designed to take long exposures. Although the overhead between each exposure is reduced to  $\sim 15$  s, it is still not very efficient for observing bright stars as they require a very short integration time (a few seconds) to avoid saturation.

In addition to the  $H\alpha$  line, another strong accretion signature is  $H\beta$ . Detecting the  $H\beta$  line can help to understand the accretion mechanism as it predicts the presence of the  $H\beta$  emission line, and it can also provide a direct measurement of the extinction of CPD and circumstellar disk.

In general, in order to detect the  $H\beta$  we suggest a total integration time that is at least a factor of 36 longer than that needed for  $H\alpha$ . Usually, the line flux of  $H\beta$  is 3 times lower than that of  $H\alpha$ . To compensate the slightly worse Strehl ratio at the shorter wavelength (i.e.,  $H\beta$ ), a factor of 2 is needed to achieve the same detection limit as in  $H\alpha$ . Therefore, to observe the  $H\beta$  line, we need to go 6 times deeper than observing  $H\alpha$  line, corresponding to 36 times longer integration time under the assumption of photon noise dominant residuals.

## 7. Conclusions

In this paper we present the performance of MUSE as a high-contrast imager in detecting point-like planets and extended stellar jets by analyzing MUSE observations of five stars with various brightnesses and spectral types. The results are summarized below:

1. We found at least three noise components in the MUSE data: photon noise, sky background noise, and systematic noise. For the weak  $H\alpha$  emitter, systematic noise can be ignored. In this case, MUSE can reach the photon noise limit at small separations ( $<0.5''$ ) and be sky background limited at the outer regions ( $>1.5''$ ), after the process of HRSDI.
2. MUSE can avoid the small sample statistics problem by measuring the noise in spatial direction at multiple wavelengths. The noise derived from Eq. (3) can provide robust noise estimations at the small sample regime and provide consistent noise estimations outside the small sample regime.
3. In general, a 30 min MUSE observation can detect  $5\sigma$  planets with apparent  $H\alpha$  line flux down to  $10^{-14}$  and  $10^{-15} \text{ erg s}^{-1} \text{ cm}^{-2}$  at  $0.075''$  and  $0.25''$ , respectively. Despite the analyses based on different targets with different integration time, MUSE detection limits in apparent flux are about 5 times deeper than that of ZIMPOL.
4. Except for PDS 70 b and c, we did not detect any clear accretion signature in PDS 70, J1850-3147, and V1094 Sco down to  $0.1''$ .
5. We detected two asymmetric atomic jets in HD 163296 with a very high spatial resolution (down to 8 au) at optical wavelengths.

MUSE has instrumental issues, and the stellar  $H\alpha$  line-to-continuum ratios vary significantly across the fields, which can potentially limit its performances. Objects with higher  $H\alpha$  line-to-continuum ratio are affected more severely by variations. A proposed modified HRSDI that adjusts the way of building the normalized reference spectra can minimize the instrumental issues. For future searches for protoplanets with MUSE, we suggest young stars with a weak  $H\alpha$  line emission and a faint  $R$ -band magnitude ( $m_R > 10$  mag) to be the suitable targets to avoid instrumental effects altogether.

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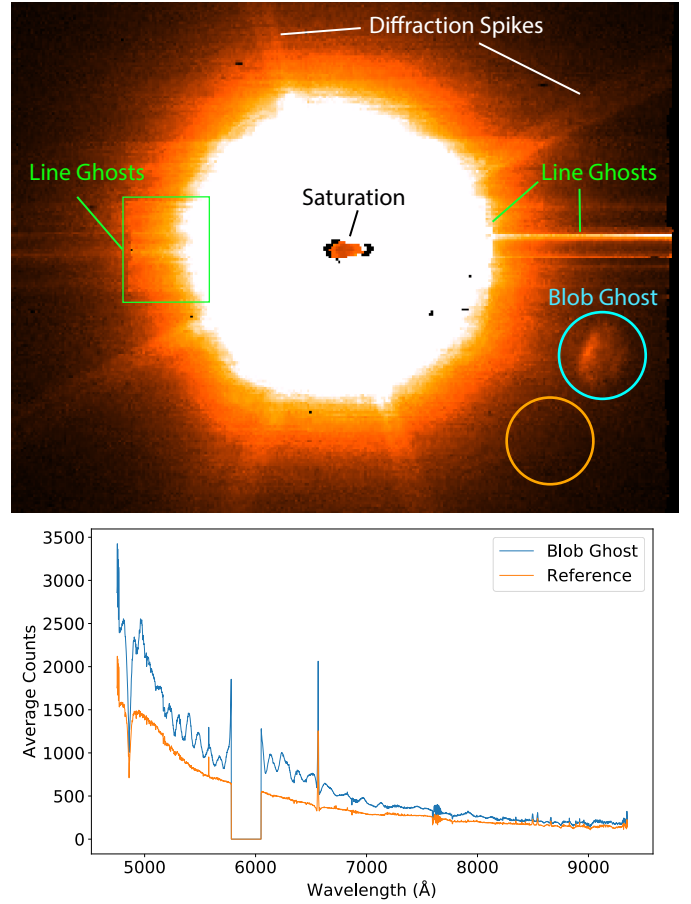
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## Appendix A: Blob ghost

Weilbacher et al. (2015) identified four artifacts visible in the MUSE wide field mode (WFM) observation as saturation, ghosts, diffraction spikes, and second spectral order. In this work we find a new kind of ghost that has a blob morphology with spectral fringing patterns that strongly contaminate the blue part of the spectrum. Figure A.1 identifies the different kinds of known instrumental artifacts in MUSE and makes a spectral comparison between the nearby sky reference and the blob ghost. Diffraction spikes can be removed in HRSDI and saturation can be avoided by optimizing the exposure time. Since NFM observations are done in the normal mode with a blocking filter, second-order contamination is blocked.

The arc-like structure near the SW jet (see Fig. 14) is at the same location as the blob ghost in the raw image of HD 163296 before the removal of stellar emission (see Fig. A.1). In the dataset with the shorter integration time, we do not find any blob ghosts at the same or other locations, suggesting their non-astronomical origin. The instrumental origin of the blob ghost is not fully understood, but it is likely from the laser-guided AO system and the internal reflection, which gives a wavelength-dependent fringing pattern. We note that line ghosts do not have periodic spectral fringing, suggesting a different instrumental origin.

Blob ghosts can also be removed if necessary. The signal frequency of the blob ghost is different from stellar line emission (i.e., the H $\alpha$  line in the bottom panel in Fig. A.1). Therefore, applying a band-stop filter before PCA can remove the spectral fringing caused by blob ghosts, while the emission lines from planets and jets are preserved. All differential broadband features will be aligned and removed during the low-order correction in HRSDI.



**Fig. A.1.** *Top panel:* image of HD 163296 at 6560 Å, showing multiple instrumental artifacts. Line ghosts are clearly visible as overbright strips in the entire horizontal IFU and a few slices. The blob ghost is shown as the cyan circle. The spectra of the blob ghost and nearby reference (orange circle) are shown in the *bottom panel*.